

(千葉大学審査学位論文)

**Study of Filter Topologies Using One-Port  
SAW/BAW Resonators and Lumped Circuit  
Elements**

**(1ポート SAW/BAW 共振子と集中定数要素を  
組み合わせたフィルタ構成に関する研究)**

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## **DECLARATION**

I hereby declare that this submission is my own work and that, to the best of my knowledge and belief, it contains no material which to a substantial extent has been accepted for the award of any other degree or diploma of the university or other institute of higher learning, except where due acknowledgement has been made in the text.

Yulin Huang, Chiba, July 2018

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## **ABSTRACT**

This thesis aims to obtain high performance, small size and low cost SAW/BAW filters. To achieve this, several problems from traditional SAW/BAW filters are solved by applying special designed topological structures where one-port SAW/BAW resonators are combined with lumped circuit elements.

First, SAW-BAW-based band reject filter composed of the impedance converters is studied. Basic properties of the unit cell are studied including pass band and reject band. It also shows that when two notches caused by the resonators are placed in proximity, two synergy effects occur and the filter performance enhanced. Then, two resonators are fabricated, measured and combined with inductors in circuit simulator to demonstrate functionality of the basic cell design. Finally, the wide rejection band filter is designed by cascading multi-stages, and effectiveness of the device configurations is demonstrated.

Then, possibility is discussed to realize multimode filters composed of multiple single-mode resonators by using radio frequency surface and bulk acoustic wave (SAW/BAW) technologies. The filter operation and design principle are given. Excellent filter characteristics have been achieved by combining multiple one-port resonators with identical capacitance ratios. Next, the effect of balun performance is investigated. It is shown that the total filter performance is significantly degraded by balun imperfections such as the common-mode rejection. At last, two circuits are proposed to improve the common-mode rejection, and their effectiveness are demonstrated.

# LIST OF CONTENTS

	Page
<b>Introduction .....</b>	<b>1</b>
1.1 Background .....	1
1.2 Motivation .....	7
1.3 Purpose .....	8
1.4 Organization of this thesis .....	8
Reference.....	9
<b>2. Band reject filters using SAW/BAW resonators embedded into impedance converter .....</b>	<b>15</b>
2.1 Introduction .....	15
2.2 Design principle of traditional ladder-type filter.....	16
2.3 Consideration on basic cells of band reject filter .....	17
2.3.1 L-matching network.....	18
2.3.2 Passband characteristics .....	21
2.3.3 Stopband considerations.....	25
2.4 Experimental Verification .....	30
2.5 Design of Multi-stage band reject filters.....	34
2.6 Conclusion.....	36
Reference.....	37
<b>3. Multimode filters using one-port SAW/BAW resonators .....</b>	<b>39</b>
3.1 Introduction .....	39
3.2 Design principle of traditional DMS filters.....	39
3.3 Electrically coupled multimode filter.....	41
3.4 Impact of balun performance .....	47
3.5 Conclusion.....	56
Reference.....	57

<b>4. Conclusions and outlooks.....</b>	<b>58</b>
4.1 Conclusions.....	58
4.2 Outlooks.....	59
<b>Lists of publications.....</b>	<b>60</b>



# Introduction

## 1.1 Background

Acoustic devices are fabricated on piezoelectric materials such like quartz, LiTaO<sub>3</sub>, LiNbO<sub>3</sub> etc., and are recognized as one of the key elements in communication systems. Piezoelectricity is the ability of materials with crystallographic asymmetry to generate electric charges in response to applied mechanical stress. Since the propagation speed of acoustic wave is 5 orders smaller than the electromagnetic wave, the size of acoustic devices can be much smaller than traditional electromagnetic ones. From this advantage, SAW devices have been widely used in military radar, electromagnetic countermeasure and commercial wireless communication systems.

Acoustic waves include the surface and the bulk acoustic waves (SAW/BAW). SAW was firstly derived theoretically by Lord Rayleigh in 1885<sup>[1.1]</sup> as an acoustic wave with energy concentration in the depth smaller than one wavelength from the surface. The typical structure of SAW resonators is shown in Figure 1.1. It contains an interdigital transducers (IDT) and grating reflectors on the piezoelectric substrate. SAW resonances between the grating reflectors are excited and detected electrically by the IDT. Use of IDTs for SAW excitation was firstly proposed by R. M. White and F. M. Voltmer in 1965<sup>[1.2]</sup>. Because the electrode and grating film thicknesses is usually uniform, SAW fabrication process is relatively simple. Nevertheless, tight control of

the film thickness and properties is mandatory in addition to fine patterning of these electrodes.

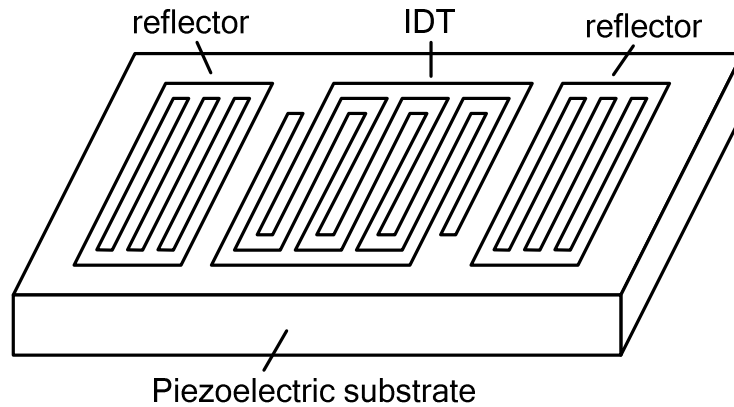


Figure 1.1 Typical structure of SAW resonator

BAW, which propagates in the bulk instead of the surface, is also widely used as acoustic resonators. The BAW resonators can be categorized to two types: the film bulk acoustic resonator (FBAR) <sup>[1.3][1.4]</sup> and solidly mounted resonators (SMR) <sup>[1.5]~[1.7]</sup> as shown in Figure 1.2. FBAR isolates the piezoelectric layer from the substrate acoustically by the air cavity while SMR employs the Bragg reflector. Acoustic resonances occur mainly between two electrodes, and are excited by electric fields between them.

The lateral size of the electrodes is much larger than the wavelength determined by the thickness of piezoelectric layer. Since BAW energy is confined in this layer and it is isolated acoustically from the supporting substrate, BAW resonators are believed to offer better quality factor  $Q$  than SAW resonators. Furthermore, BAW devices offer better durability against radio frequency (RF) signal power. This is because the acoustic-migration limiting life time of SAW devices hardly occurs in BAW devices.

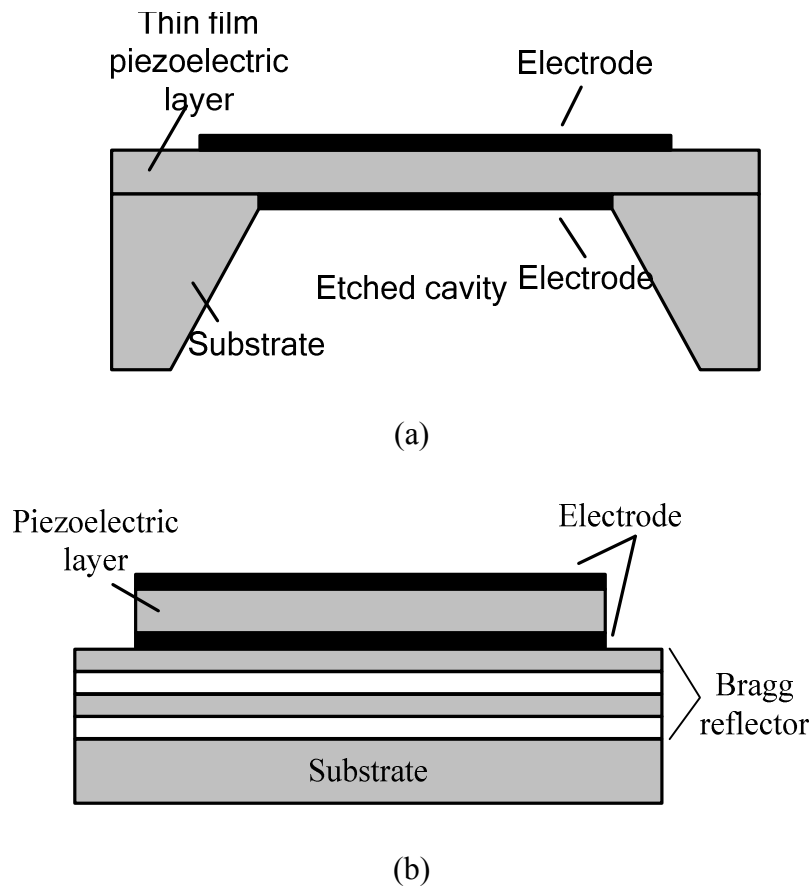


Figure 1.2 Typical structure of BAW resonator for (a) FBAR and (b) SMR

Presently, main application of SAW/BAW resonators is filters for frequency selection in the RF range. They play very important roles in wireless communications. Representative is RF frontend filters and duplexers in mobile and smart phones. In addition to their vast number of annual sales, introduction of new frequency bands and standards expands the market size of SAW/BAW resonators explosively. Nowadays, there are more than 40 LTE (long time evolution) bands. In the market, SAW devices are dominant for the frequency bands under 1 GHz while SAW and BAW devices have their own shares above 1 GHz <sup>[1.3][1.8][1.9]</sup>.

Usually SAW/BAW filters offer band pass characteristics. Figure 1.3 shows the filter configuration called the ladder-type <sup>[1.10]</sup>. The basic concept is to set the anti-

resonance frequency of the parallel resonators equal to the resonance frequency of the series resonators. Then almost 100% signal transfer is possible between the input and output ports at this frequency. At frequencies far from these resonances, since resonators can be regarded as simple capacitors, cascading multiple sections allows us to enhance suppression of the signal transfer. Note that the resonance of the parallel resonators and the anti-resonance of the series resonators create transmission zeros. Then a flat passband sandwiched in between two zeros appears. This filter topology offers low insertion loss in the passband and high durability against RF input power [1.11]~[1.14]. From these features, this topology is widely used in duplexers which will be described later. One drawback is inferior out of band rejection.

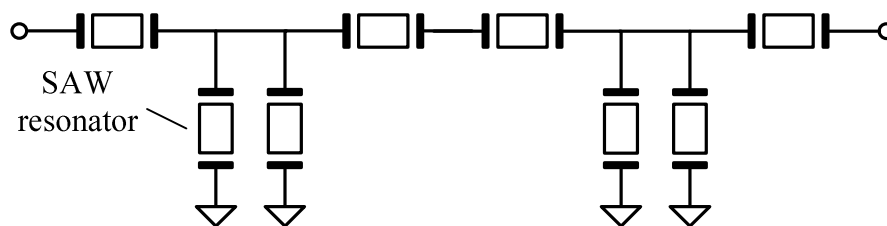


Figure 1.3 Structure of ladder-type filter

The lattice filter configuration is another choice [1.15]~[1.17]. However, its applicability is limited because it is only applicable to cases with balanced input and output.

Duplexers are three port devices realized by parallel connecting input ports of two filters with different passbands, one is called the receive (Rx) band for the signal transmission from the antenna to the hand set, and another one is call the transmit (Tx) band for the signal transmission from the hand set to the antenna. Parallel connected

port is called the antenna (ANT) port while remaining two are called the Tx and Rx ports. Duplexer, antenna and amplifiers formed the RF front-end as shown in Figure 1.4. The most important function of the duplexer is to suppress signal transfer between the Tx and Rx ports, and the suppression level called isolation is highly demanded to be enhanced to 70 dB. For efficient use of frequency resources, the frequency gap between Tx and Rx bands is going to be extremely narrow. For example, the fractional gap width in Band 25 is only 0.75%.

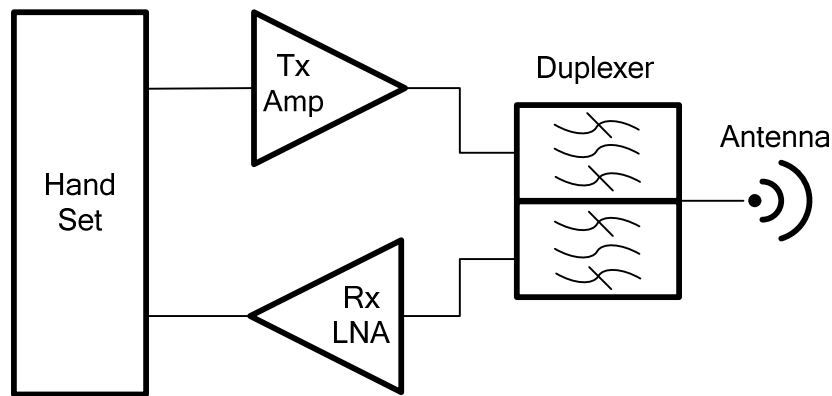


Figure 1.4 Structure of RF front-end

Since SAW/BAW duplexers are used in the RF frontend of transceivers, ultimate loss reduction is requested in the Rx band not to deteriorate detection sensitivity. Furthermore, it is also requested for the Tx band so as to reduce the battery power consumption and self-heating <sup>[1.18]</sup>. So as to fulfill these tight requirements, inclusion of the band reject function is paid much attention in SAW/BAW filters and duplexers. For example, the function may be able to enhance the isolation without scarcely deteriorating the passband characteristics <sup>[1.19][1.20]</sup>.

SAW notch filters can be composed by embedding SAW resonators in all pass filters [1.21]-[1.23]. C.S.Hartmann, et al, proposed to use twin-peak IDTs for expanding the rejection bandwidth [1.24]. In 1990, S.Gompani, et al. proposed a notch filter using a two-pole waveguide coupled resonator embedded in an all pass network [1.25]. Expansion of the rejection bandwidth was also discussed in [1.26] where multiple SAW resonators are series connected.

Another type of SAW filters called the double mode SAW (DMS) filters [1.27] is also widely used. Figure 1.5 shows its basic configuration, the structure is designed so as to support multiple resonances, and proper arrangement of these resonances enables us to synthesize the flat passband and sharp cutoff characteristics [1.28]. Far from the resonances, signal transfer between two IDTs is weak, and thus good out-of-band rejection can be achievable [1.28]-[1.31]. However, DMS filters exhibit higher insertion loss than ladder-type SAW filters. Furthermore, DMS filters have much worse power durability than the ladder-type. In recent duplexers, it is common to use ladder-type and DMS filters for Tx and Rx bands, respectively.

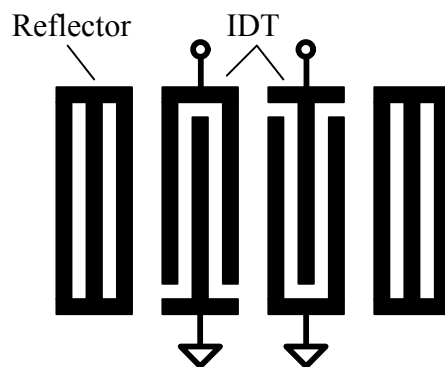


Figure 1.5 Structure of DMS filter

The ladder type configuration is widely used also for BAW devices. Acoustically

coupled BAW resonator filters are investigated extensively to realize excellent out-of-band rejection like DMS filters. Figure 1.6 shows an example called coupled-resonator-filter (CRF) <sup>[1.32]~[1.35]</sup>. Two BAW resonators are stacked and their acoustic coupling is adjusted by the sandwiched center layer. Its operation principle is the same as that of the DMS filter, and flat passband and good out-of-band rejection can be achieved simultaneously by properly designing the coupling layer.

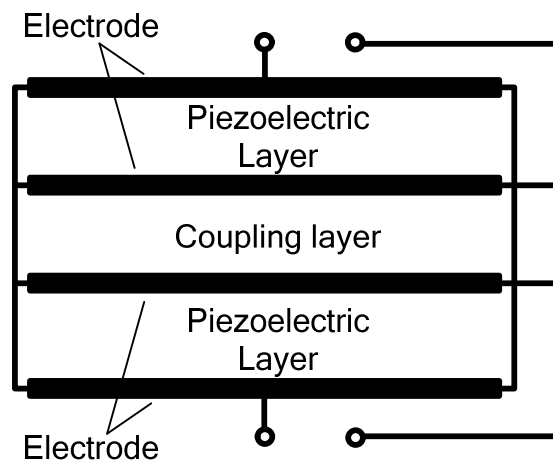


Figure 1.6 Structure of coupled resonator filter

Although excellent performances were reported <sup>[1.35]</sup>, CRFs are never mass produced. This is because tricky mechanisms and materials are needed for weakening the coupling, and their process control is extremely difficult.

## 1.2 Motivation

To enhance performance of SAW/BAW filters further, the following problems should be solved.

- 1) SAW/BAW band reject filters are paid much interested, and many devices with

excellent performance are published. However, their design procedures have never been discussed in detail.

2) DMS filters offer excellent out of band rejection but inferior power durability. Although CRFs offer both good out-of-band rejection and good power durability, their mass production is difficult.

### **1.3 Purpose**

To solve the problems listed above, this thesis studied the following topics.

1). A band reject filter embedded in impedance converter is studied to verify the possibility of impedance converter combination and discuss the design procedure in detail.

2). A multi-mode filter is proposed based on electrical coupling to support both SAW and BAW resonators and its differential structure will ensure the excellent out of band attenuation.

### **1.4 Organization of this thesis**

Chapter 2 studied the SAW-BAW-based band reject filter composed of the impedance converters. Basic properties of the unit cell are studied including pass band and reject band. It also shows that when two notches caused by the resonators are placed in proximity, two synergy effects occur and the filter performance enhanced. Then, two resonators are fabricated, measured and combined with inductors in circuit simulator to demonstrate functionality of the basic cell design. Finally, the wide rejection band filter



is designed by cascading multi-stages, and effectiveness of the device configurations is demonstrated.

Chapter 3 discussed the possibility of realizing multimode filters composed of multiple single-mode resonators by using radio frequency surface and bulk acoustic wave (SAW/BAW) technologies. The filter operation and design principle are given. It is shown that excellent filter characteristics are achievable by combining multiple single-mode resonators with identical capacitance ratios provided that their resonance frequencies and clamped capacitances are set properly. Next, the effect of balun performance is investigated. It is shown that the total filter performance is significantly degraded by balun imperfections such as the common-mode rejection. Then, two circuits are proposed to improve the common-mode rejection, and their effectiveness is demonstrated.

Chapter 4 draws the conclusion of the whole thesis.

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## **2 Band reject filters using SAW/BAW resonators embedded into impedance converter**

### **2.1 Introduction**

Impedance converters are quite often used in RF circuits and modules such as the output stage of power amplifiers [2.1]. Thus use of SAW/BAW resonators may embed the band reject function into RF modules in order to decrease the complexity of circuit and further minimize the device size. Furthermore, since inductors are also quite often used for impedance matching in RF circuits including SAW/BAW filters and duplexers, they may be also used for the same purpose.

This chapter describes a filter based on ladder like structures and the filter both has the band stop function and impedance convert function.

After a brief introduction of traditional ladder type filter design, the basic properties of the unit cell including pass band and reject band are discussed. It is shown that when two notches are placed in proximity, two synergy effects occur: (i) an extra matching point appears on one side of the transition band. This make the insertion loss at the point smaller and the transition band steeper, and (ii) the dip level becomes deeper, and the total rejection level becomes better.

Then, functionality of the basic cell design is demonstrated using two SAW resonators fabricated on 42-LT. The filter operation is examined on a circuit simulator in combination with built-in inductors.

Finally, the wide rejection band filter is designed by cascading multi-stages, and effectiveness of the proposed design procedure is examined.

## 2.2 Design principle of traditional ladder-type filter

The idea of designing traditional ladder-type bandpass filter is utilizing the poles from acoustic resonators to create low loss signal path. Figure 2.1 shows the typical topology of a ladder-type filter, which applies SAW/BAW resonator  $R_1$  on the serial arm and  $R_2$  on the parallel arm.

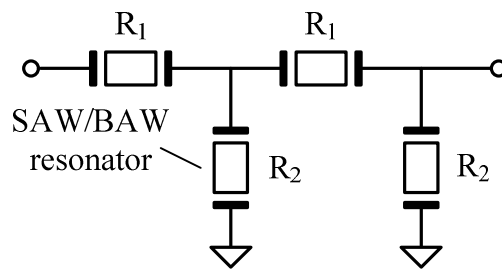


Figure 2.1 Ladder type bandpass filter topological structure

Figure 2.2 shows the characteristics of the filter comparing with its resonators impedance. In the figure,  $f_{pr}$  and  $f_{pa}$  represent the resonance and anti-resonance frequency of  $R_1$ ,  $f_{sr}$  and  $f_{sa}$  represent the ones of  $R_2$ . In the passband, the serial resonator should work near  $f_{sr}$  to obtain impedance close to zero, while the parallel resonator should work near  $f_{pa}$  for very high impedance. So that the serial path is close to short circuited and parallel path is close to open circuited, and low loss transmission is achieved. With the single mode acoustic resonator, the resonance frequency always appears lower than the anti-resonance frequency. Then  $f_{sr}$  should be larger than  $f_{pa}$  in order to have a flat passband. There are two deep notches just below and above the



passband. The one below the passband is caused by the small parallel impedance on  $f_{pr}$ , which makes most of the signal been absorbed by ground. The one above the passband is caused by the large serial impedance on  $f_{sa}$ , which reflected most of the signal back to source. Far away from the passband, the acoustic resonator act as capacitors and the out-of-band attenuation becomes bad.

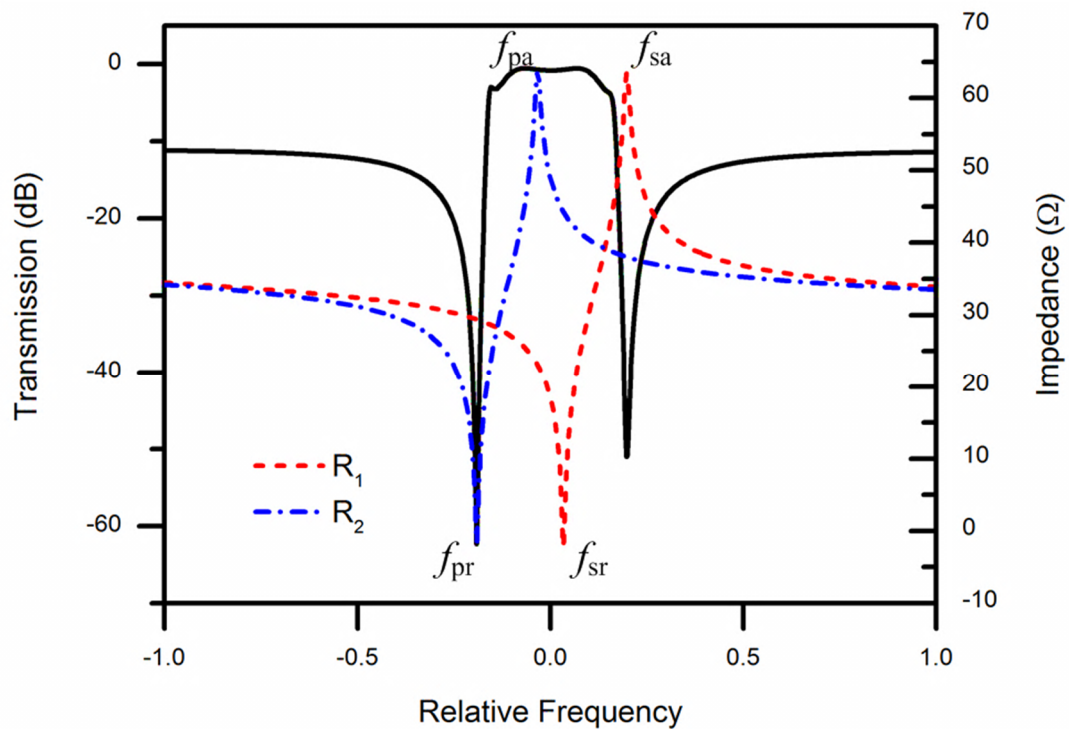


Figure 2.2 Ladder type bandpass filter characteristics varying with the serial and parallel arm impedance

### 2.3 Consideration on basic cells of band reject filter

Similar to the filter described above, this band reject filter applies ladder-like topological structure. However, its transmission function is opposite to the band pass

filter and requires different settings such like the resonator notch positions and additional inductive elements.

### 2.3.1 L-matching network

L-matching network is a well-known two port network combined of one serial impedance and one parallel impedance as shown in Figure 2.3, where  $Z_s$  and  $Z_p$  are the impedance of serial arm and parallel arm,  $Z_1$  and  $Z_2$  are the smaller and larger input impedance of two ports, respectively. Due to its asymmetric nature, its input impedance of two ports should be different when the whole structure is well matched. Thus, the L-matching network is usually used as the impedance converter.

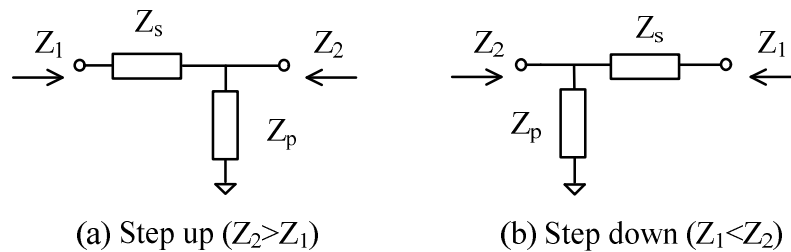


Figure 2.3 Impedance converters (L-matching network)

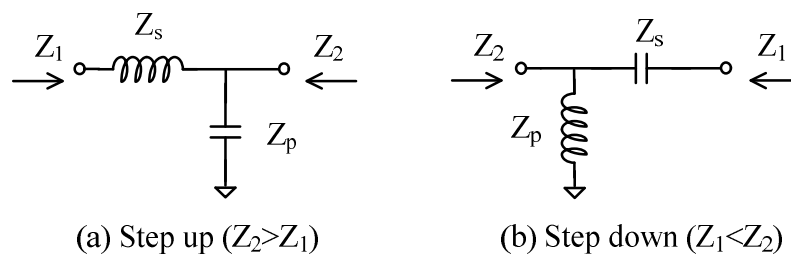


Figure 2.4 L-matching network with lumped elements

$Z_s$  and  $Z_p$  are usually set to be pure imaginary for lossless signal transmission. For lumped element case, the pure imaginary impedance could be realized by replacing two arms with capacitors and inductors as shown in Figure 2.4. However, since their

impedance are frequency dependent, the theoretical 100% energy transmission is true only on one frequency point.

For SAW/BAW resonators, away from the resonance and anti-resonance frequencies, the resonator works as a capacitor. Thus, by replacing the capacitors in Figure 2.4 with SAW/BAW resonators, the L-matching network will still be lossless in a certain frequency range. However, near the resonance and anti-resonance frequency,  $Z_p$  is far away from the lossless transmission condition. The impedance mismatch of the network will be serious and it leads to deep notches on the transmission performance.

Further, to create more notches, the inductor in Figure 2.4 could also be replaced by the combination of SAW/BAW resonator and inductor. Figure 2.5 shows four possible structures of impedance converters, which are also used in the ladder topology band reject filters <sup>[2.2][2.3]</sup>:

- (a) the serial arm is a serial connection of inductor and SAW/BAW resonator for the left port input impedance is smaller than right side one;
- (b) the parallel arm is a parallel connection of inductor and SAW/BAW resonator for the left port input impedance is larger than right side one;
- (c) the serial arm is a parallel connection of inductor and SAW/BAW resonator for the left port input impedance is smaller than right side one;
- (d) the parallel arm is a serial connection of inductor and SAW/BAW resonator for the left port input impedance is larger than right side one.

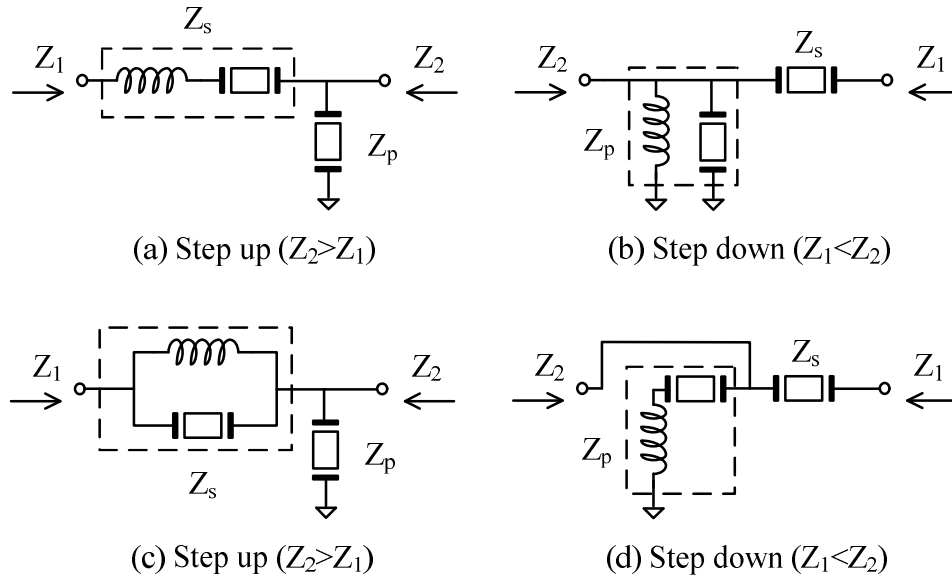


Figure 2.5 Basic L-matching network including SAW/BAW resonators

It seems these four structures should have similar performance as bandstop filters. However, for the inductors in practical use are usually not accurate enough, the sensitive transition band should not be influenced by the inductor value. In structure (a), the impedance of the serial resonator will be very large in stopband, so the contribution of the serial inductor could be neglect. In structure (b), the impedance of the parallel resonator will be very small in stopband, so the contribution of the parallel inductor could also be neglect. However, in structure (c), if anti-resonant on the serial arm is needed, which is the condition of stopband, the anti-resonance frequency will depend on the value of the inductor. For the same reason, the resonance frequency of the parallel arm in structure (d) will depend on the inductor value again. Although the inaccuracy of inductor value will also influence the passband performance of structure (a) and (b), the L-matching network passband position is much more insensitive, and

the designed passband specification is usually not so strict. Thus, in this thesis, structure (a) and (b) are selected as the basic cell for the notch filter.

Assume the characteristic impedance of two ports are pure real. The transmission coefficient  $S_{21}$  of the network is given by

$$S_{21} = \frac{2\sqrt{R_1 R_2^{-1}}}{(R_1 + Z_s)(R_2^{-1} + Z_p^{-1}) + 1} \quad (2-1)$$

where  $R_1 = \text{Re}[Z_1]$ ,  $R_2 = \text{Re}[Z_2]$ . As discussed above, notch appears and  $S_{21}$  approaches zero when  $Z_s$  is extremely large on its anti-resonance frequency or  $Z_p$  is close to zero on its resonance frequency.

### 2.3.2 Passband characteristics

When the impedance of parallel arm and serial arm are well designed, the two ports are both matched, then the transmission could be lossless and the following conditions are satisfied:

$$Z_s = \pm jR_2 \sqrt{r(1-r)} \quad (2-2)$$

$$Z_p^{-1} = \pm jR_2^{-1} \sqrt{r^{-1}-1} \quad (2-3)$$

where the double signs are in same order,  $r$  is the impedance ratio of two ports ( $R_1/R_2$ ) and  $r$  should be smaller than unity because the left sides of equation are pure imaginary.

Then (2-1) reduces to

$$|S_{21}|_{\max} \approx \frac{1}{1 + \frac{R_1^{-1}}{2} R_s + \frac{R_2}{2} G_p} \quad (2-4)$$

where  $R_s = \text{Re}[Z_s]$  and  $G_p = \text{Re}[Z_p^{-1}]$ . Since dielectric and ohmic losses are not significant

in present SAW/BAW resonators,  $R_s$  and  $G_p$  will be mainly determined by the finite quality factor of inductors  $Q_L$ . To study the performance of the filter in passband, SAW/BAW resonators in series and parallel arms are replaced with capacitors,  $C_{0s}$  and  $C_{0p}$ , respectively, because the SAW/BAW resonators act as capacitors far away from its resonance and anti-resonance frequencies. Figure 2.6 shows the corresponding circuit for passband, where  $R_s$  and  $G_p$  are two kinds of equivalent resistance of the inductor, while  $R_s = j\omega L_1 / Q_L$  and  $G_p = 1 / j\omega L_1 Q_L$ .

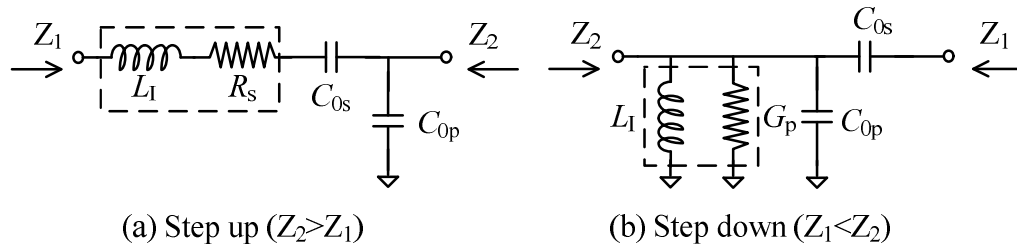


Figure 2.6 L-matching network with lumped elements

First, the influence of the inductor quality factor is discussed. Figure 2.7 shows the  $|S_{21}|$  of structure in Figure 2.6(a) with the inductor quality factor  $Q_L$  increasing from 25 to 100. The horizontal axis is the frequency deviation from the matching frequency  $f_c$ , which satisfies the conditions given by (2-2) and (2-3). The result indicates that the insertion loss of passband decreases rapidly with the increase of  $Q_L$ , and the decreasing speed significantly drops (less than 0.1 dB) when  $Q_L$  is larger than 50. It indicates that to keep the passband insertion loss small, general commercial lumped inductors are enough to fulfill the requirement.

Next, it seems there are 6 variates in Figure 2.6 to design. However, their values are related with each other when the matching condition in (2-2) and (2-3) are fulfilled.

Following research fixed  $R_1$  to  $50 \Omega$ ,  $Q_L$  to 50 and center frequency to 750 MHz. Then there are two choices, fix the combined capacitor ( $C_{0s}$  in Figure 2.6(a) and  $C_{0p}$  in Figure 2.6(b)) or fix the individual capacitor ( $C_{0p}$  in Figure 2.6(a) and  $C_{0s}$  in Figure 2.6(b)). The first choice will cause  $C_{0s}/C_{0p}$  depending on  $r$  while the second choice requires  $r$  be a constant.

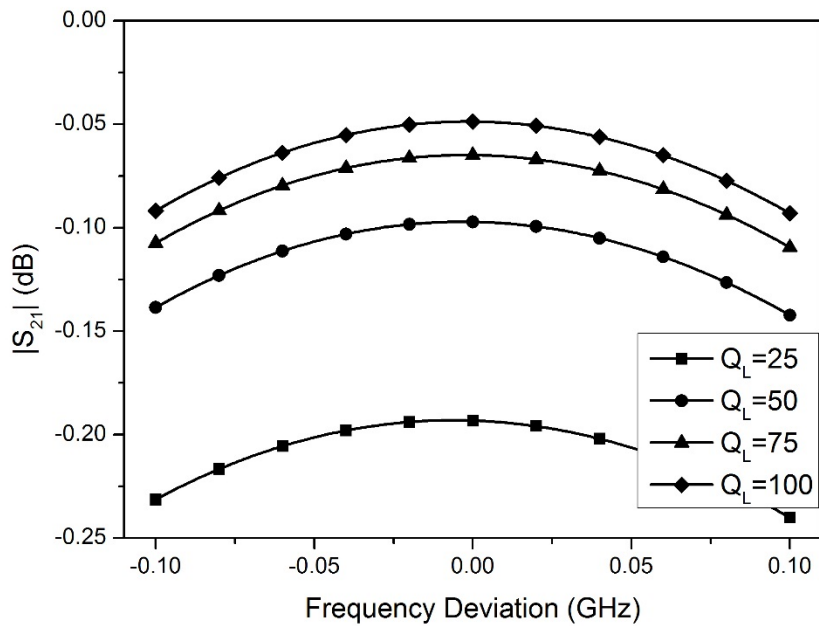


Figure 2.7 Performance of L-network with various inductor quality factor

Figure 2.8 shows the  $|S_{21}|$  varying with  $r$  when the combined capacitor is fixed. As shown in the figure, the insertion loss grows and the passband flatness becomes worse with the decreasing of  $r$ . This is because when  $r$  is smaller, the impedance difference between two ports is larger. Then the impedance matching is possible only for a narrower frequency range. At the same time, the inductor value will become larger, with the same  $Q_L$ , the real part of the inductor also increased, which leads the insertion loss grows.

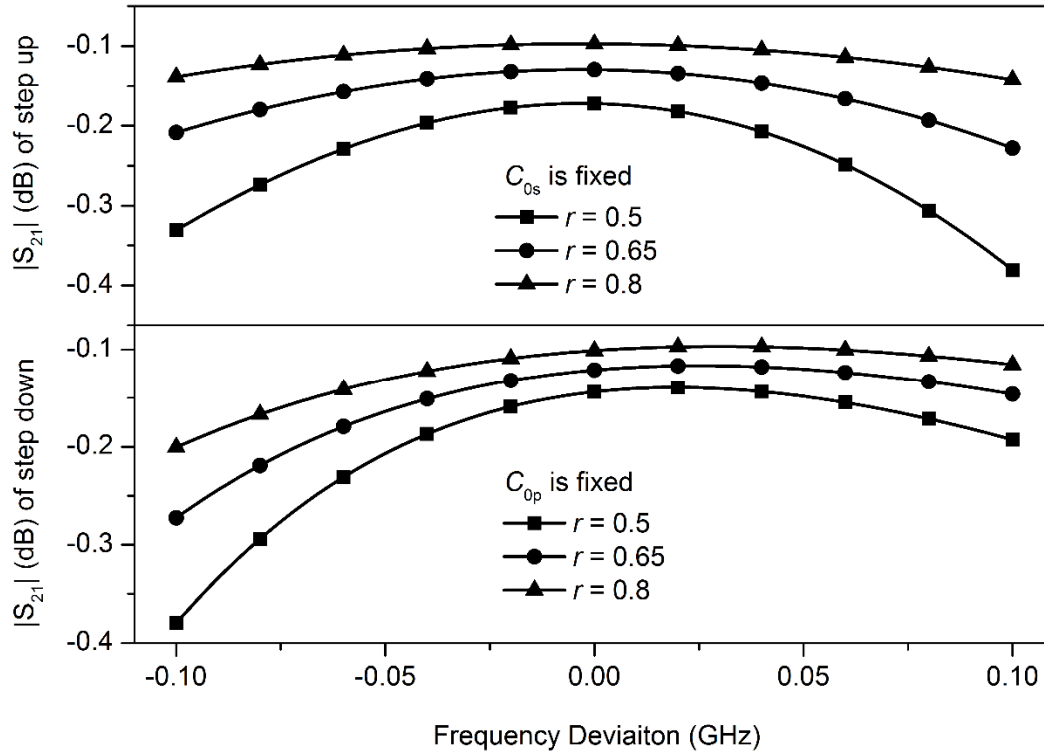


Figure 2.8 Pass band characteristic of L-matching network

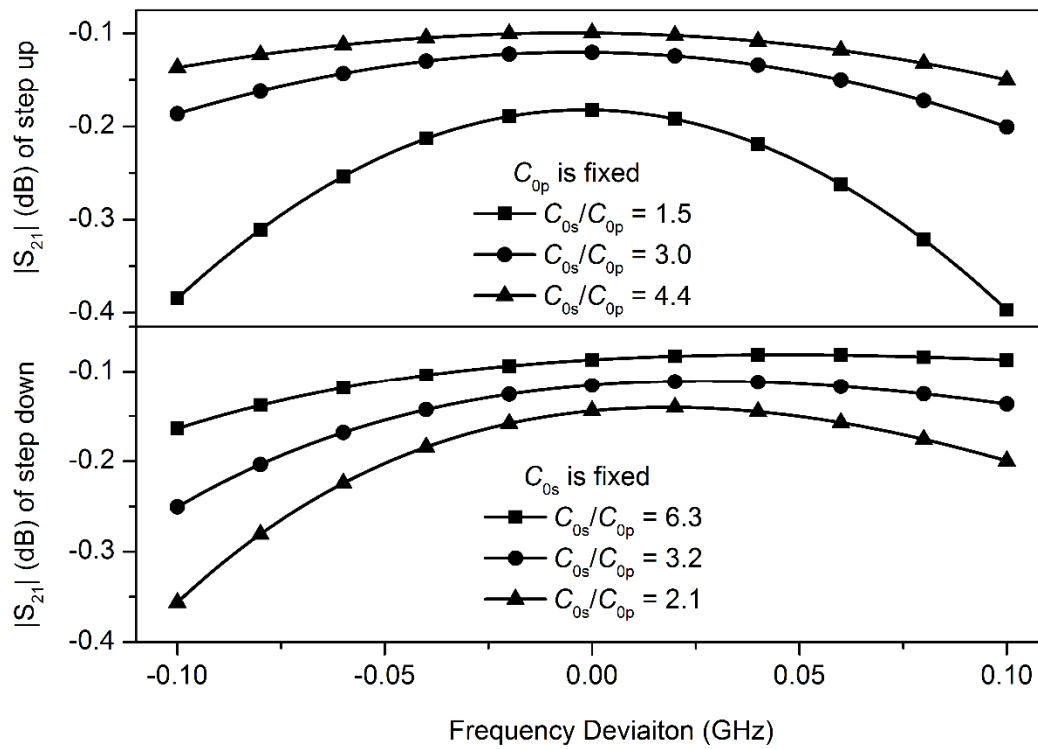


Figure 2.9 Pass band characteristic of L-matching network



Figure 2.9 shows the  $|S_{21}|$  varying with  $C_{0s}/C_{0p}$  when the individual capacitor is fixed. As shown in the figure, the insertion loss grows and the passband flatness becomes worse with the decreasing of  $C_{0s}/C_{0p}$ . The mechanism of insertion loss growing is the same with Figure 2.8, the value of inductor grows with the decreasing of  $C_{0s}/C_{0p}$ . On the other side, both in configuration (a) and (b), the influence of the combined capacitor to the circuit will decrease when  $C_{0s}/C_{0p}$  decreased. Because the impedance of the combined arm is composed by the inductor and the combined capacitor, and the influence of capacitor is always negative to the circuit impedance. Thus, smaller influence of combined capacitor corresponds to lower insertion loss.

### 2.3.3 Stopband considerations

Next, rejection characteristics near the resonance frequencies are discussed. For the purpose, each resonator in Figure 2.5 (a) and (b) is modeled by the simple LCR model in Figure 2.10,

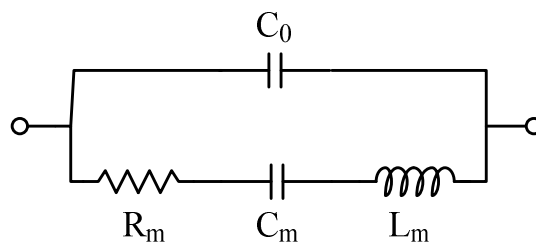


Figure 2.10 LCR model of SAW/BAW resonator

where  $L_m$ ,  $C_m$  and  $R_m$  are the motional inductance, capacitance, and resistance, respectively, and  $C_0$  is the clamped capacitance. The resonance frequency  $f_r$  is given by  $1/2\pi(L_m C_m)^{0.5}$ , while the anti-resonance frequency  $f_a$  is given by  $f_r(1+\gamma^{-1})^{0.5}$ , where  $\gamma$

( $=C_0/C_m$ ) is the capacitance ratio. The resonance and anti-resonance quality factors,  $Q_r$  and  $Q_a$ , respectively, are given by  $2\pi f_r L_m/R_m$  and  $2\pi f_a L_m/R_m$  for this case.

Two dips occur near the resonance  $f_{rp}$  of the parallel resonator and the anti-resonance  $f_{as}$  of the series resonator. When  $f_{rp}$  and  $f_{as}$  are not close to each other, the term  $Z_s Y_p$  in (2-1) is negligible.  $|S_{21}|$  at these frequencies and -3 dB rejection bandwidths contributed by each resonator are approximately given by

$$|S_{21}| \text{ (at } f = f_{as}) \approx \frac{4\pi f_{as} C_{0s} R_i \gamma}{Q_a}, \quad (2-5)$$

$$|S_{21}| \text{ (at } f = f_{rp}) \approx \frac{\gamma}{\pi f_{rp} C_{0p} R_o Q_r}, \quad (2-6)$$

$$BW_s \approx \frac{1}{4\pi C_{0s} R_i \gamma}, \quad (2-7)$$

$$BW_p \approx \frac{\pi f_{rp}^2 C_{0p} R_o}{\gamma}, \quad (2-8)$$

where  $C_{0p}$  and  $C_{0s}$  are  $C_0$  of the parallel and series resonators, respectively.  $BW_s$  and  $BW_p$  are the bandwidth contributed by the serial and parallel resonators, respectively. This analysis shows rough characteristics of a single resonator which will be used for further design. When these two nulls are placed in proximity, the transition bands of the two resonators will overlap, and a bump occurs. Provided that the resonator  $Q$  is somewhat large, the attenuation level  $A_e$  is determined by this bump height, which becomes large with an increase in the frequency separation  $d$  between the two nulls. On the other hand, the total transition bandwidth  $BW_e$  is also determined by  $d$ . Figure 2.11

shows a designed example with the structure in Figure 2.5 (b), where  $r=0.69$ ,  $\gamma=15$ , and  $Q_r=Q_a=500$  while  $d$  is swept from 5 MHz to 20 MHz. It is seen that smaller  $d$  makes the dip levels deeper and the bandwidth smaller. Anyway,  $A_e$  and  $BW_e$  are in tradeoff.

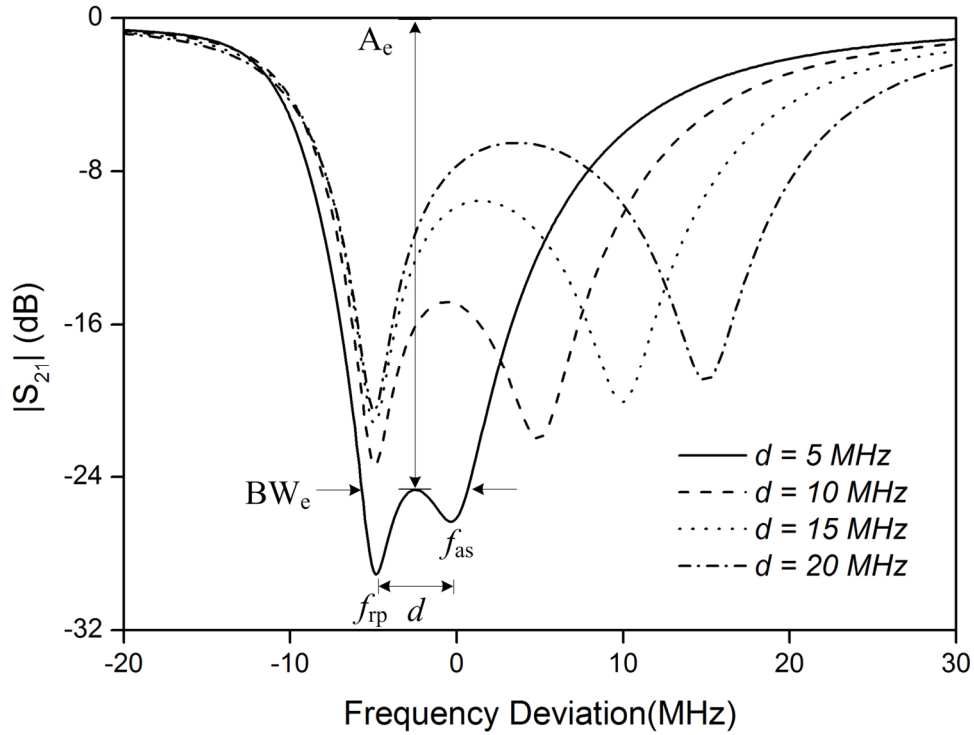


Figure 2.11 Bandwidth and attenuation of reject band variation with  $d$

Figure 2.12 compares the result shown in Figure 2.11 when  $d$  is 10 MHz with results when one of the resonators is replaced with a simple capacitor. The topologies (a.1) to (a.3) are equivalent with the legends in the figure. So is (b.1) to (b.3). These results reveal that the following two synergy effects appear when two nulls are placed in proximity.

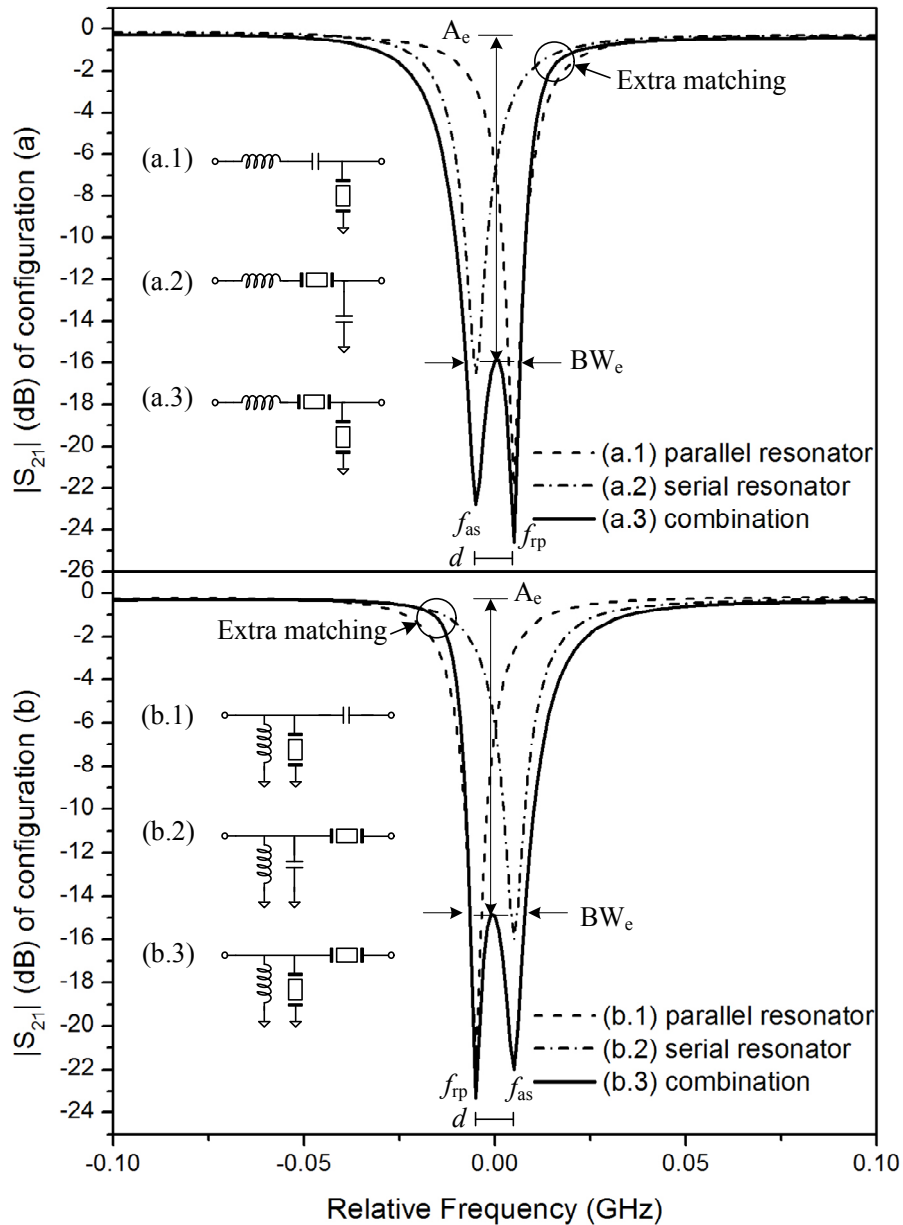


Figure 2.12 Rejection band characteristics of L-networks when two resonators are combined

(i) The upper edge of the rejection band becomes steep for the configuration (a). This is caused by fulfillment of (2-2) and (2-3) at a frequency just above the upper edge where the series resonator is capacitive and the parallel one is inductive. As a tradeoff, the lower edge becomes gradual. This effect also occurs to the configuration (b). In this case, the lower edge becomes steep while the upper edge becomes gradual.

(ii) For the configuration (a), the dip at  $f_{as}$  is much deeper than the value given by (2-5) while that at  $f_{rp}$  is mostly equal to that given by (2-6). Furthermore, the bump height in the rejection band is lower than the value given by a product of values given by (2-5) and (2-6). This is due to the term  $Z_s Y_p$  in (2-3) is not negligible when the distance between the two nulls is small. These effects also occur to the configuration (b).

It should be noted that setting  $f_{rp} > f_{as}$  for the case (a) and setting  $f_{as} > f_{rp}$  for the case (b) offer negative effects: the bump become higher, and the two edges become unbalanced.

Figure 2.13 shows variation of  $|S_{21}|$  of structure in Figure 2.5 (a) with the resonator quality factor  $Q$  from 1000 to 250. With the  $Q$  decrease, the passband band edges become round and two notches do shallow. However,  $A_e$  and  $BW_e$  do not change too much as expected, because  $d$  remains the same. Sharpness of the upper edge is mainly governed by the maximum value of Bode  $Q$  [2.4].

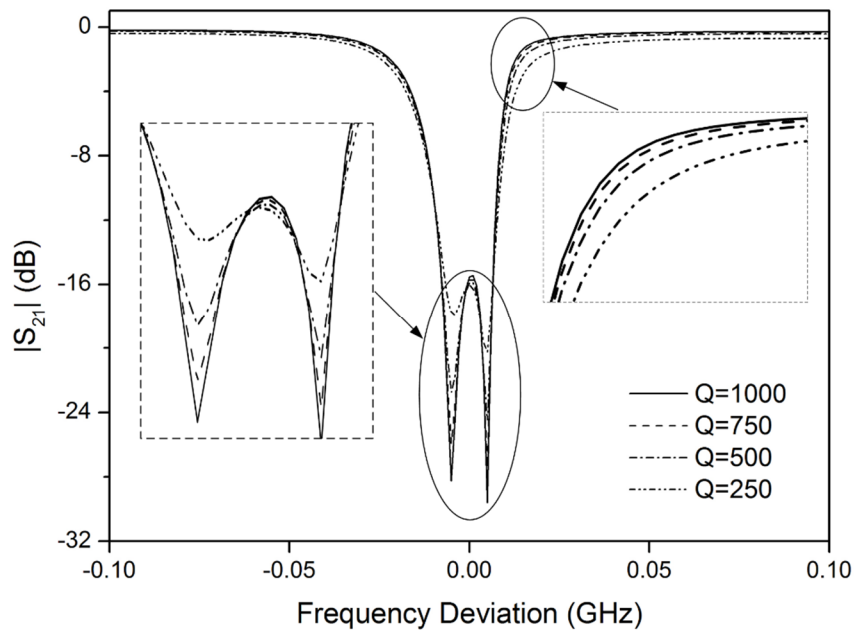


Figure 2.13 Performance of L-network with various resonator quality factor

## 2.4 Experimental Verification

To demonstrate the basic cell design, two one-port SAW resonators were fabricated, and band reject filters shown in Figure 2.12 were composed in a free circuit simulation tool called Qucs (Quite Universal Circuit Simulator) <sup>[2.5]</sup> using their measured admittance resonance characteristics.

Two resonators A and B were fabricated on 42°YX-LiTaO<sub>3</sub> (42-LT) substrate <sup>[2.6]</sup>. Copper was chosen as the electrode material, and the thickness was set at 300 nm. The SAW resonators employ the standard short-circuited (SC) reflector – interdigital transducer (IDT) – SC reflector structure shown in an inset of Figure 2.14. The IDT has 65 finger pairs while the number of electrodes is 30 for each reflector, The IDT periodicity for the resonator 1 and 2 are 5.854  $\mu\text{m}$  and 5.697  $\mu\text{m}$ , respectively.

Figure 2.14 depicts the measured admittance of the two resonators. The solid and dashed curves represent that of the resonator 1 and 2, respectively. Strong resonance can be seen at 638 MHz (1) and 654 MHz (2), which are caused by the main SAW mode. Resonance  $Q$  of these resonators was estimated as circa 450 from the fitting of these responses to the modified BVD (mBVD) model <sup>[2.7]</sup>. Spurious resonances can be seen at 881 MHz (1) and 912 MHz (2), which are caused by the bulk wave radiation intrinsic in 42-LT <sup>[2.8]</sup>.

Then the measured S parameter files were loaded as a “black box” in Qucs, and the basic cell circuit was composed in combination with two built-in inductors. Their

inductance was set at 137 nH from (2-2) and (2-3), and their  $Q$  factor was set at 50 on 600 MHz. In the design,  $r=0.69$ .

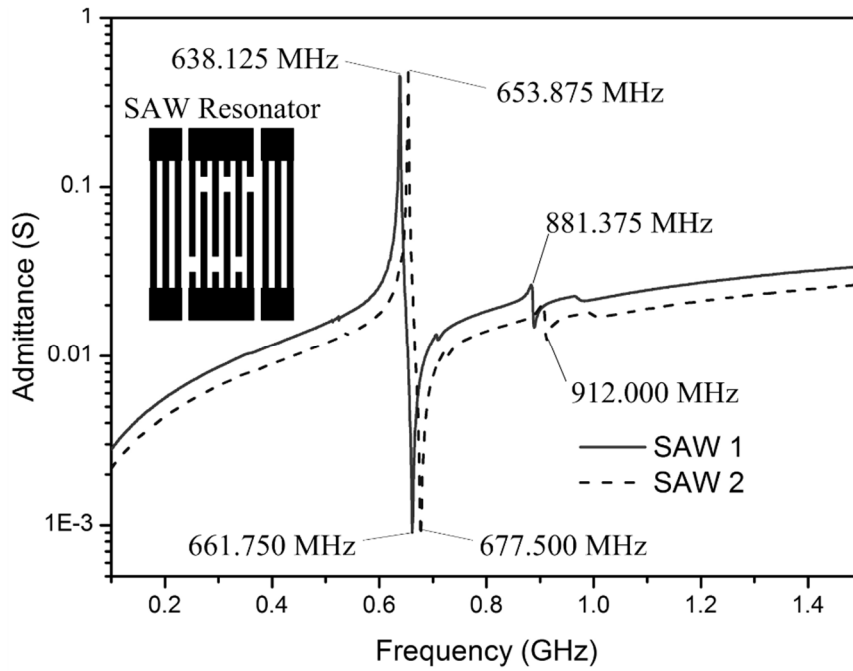


Figure 2.14 Measured admittance of the serial and parallel SAW resonators

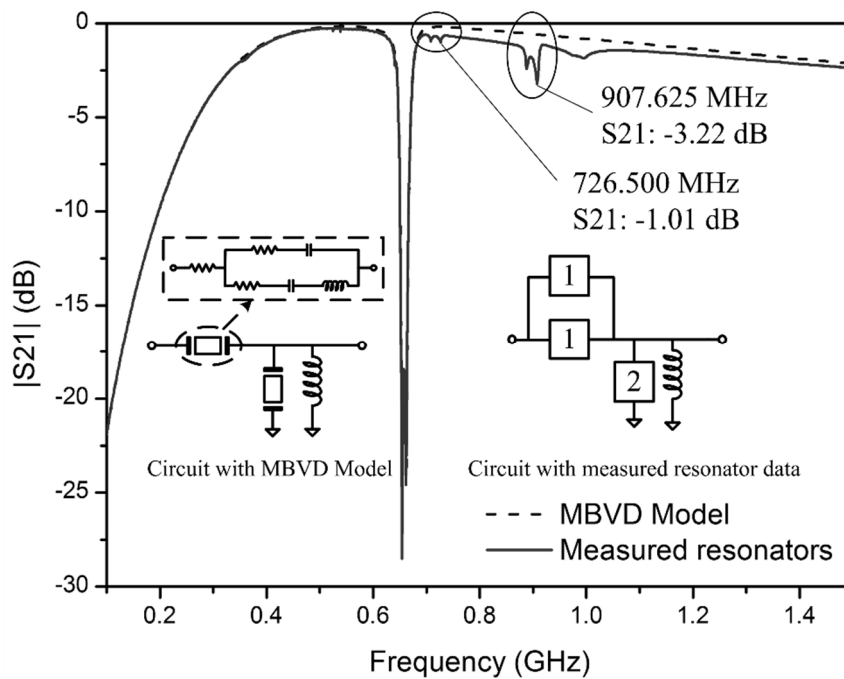


Figure 2.15  $|S_{21}|$  of the basic cell circuit (b) based on the MBVD model vs. the measured resonators

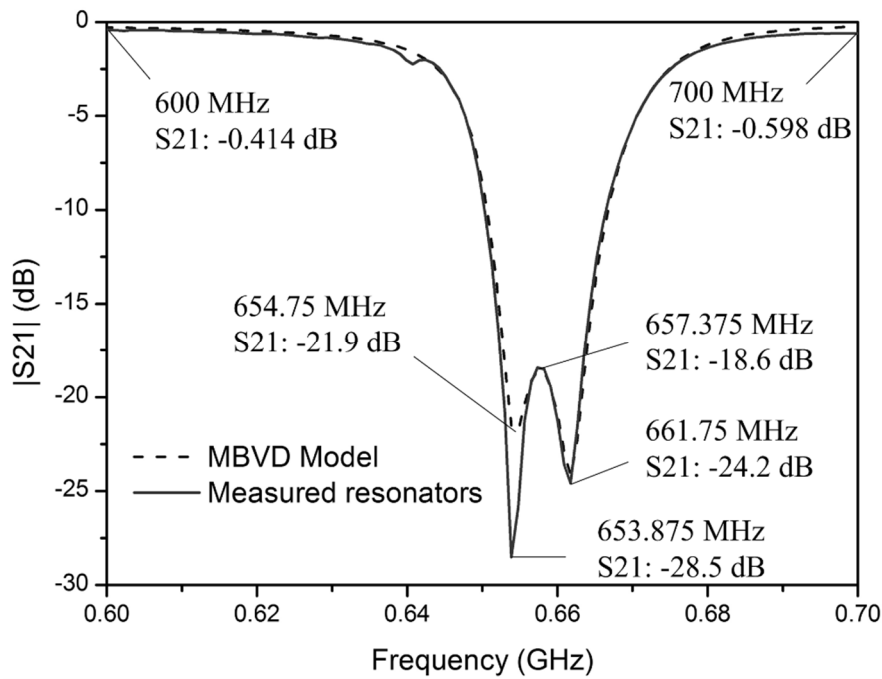


Figure 2.16 Zoom in of Figure 2.15 with a frequency range from 600 MHz to 700 MHz

Figure 2.15 and Figure 2.16 show calculated transmission response  $|S_{21}|$  when the circuit shown in Figure 2.12 (b.3) was chosen. Here, a pair of resonator 1 are parallel connected to achieve double capacitance. This method is used to reduce the lithography area for each resonator. The rejection band with two dips can be seen at  $\sim 654$  MHz and  $\sim 662$  MHz, which correspond to the resonance frequency of the resonator 2 and the anti-resonance frequency of the resonator 1, respectively. For comparison,  $|S_{21}|$  calculated by using the mBVD model is also shown. In this calculation, the resonance  $Q$  was limited to 250 intentionally. Nevertheless, this calculation agrees quite well with the original simulation except the dip depth at  $\sim 653$  MHz, which is mainly determined by the anti-resonance  $Q$  of the series resonator. Although the resonator  $Q$  and assumed



inductance  $Q$  was low (450 and 50, respectively), achieved insertion loss is relatively small.

Another notch is seen at  $\sim 907$  MHz, which is caused by the bulk wave radiation. Use of other SAW substrates such as  $128^\circ\text{YX-LiNbO}_3$  [2.9] may relax this problem.

Figure 2.17 and Figure 2.18 show calculated transmission response  $|S_{21}|$  when the circuit shown in Figure 2.12 (a.3) was chosen. Here, a pair of resonator 2 are serial connected to reduce capacitance. The rejection band with two dips can be seen at  $\sim 654$  MHz and  $\sim 662$  MHz, which correspond to the resonance frequency of the resonator 2 and the anti-resonance frequency of the resonator 1, respectively. The simulated result using the measured admittance agrees well with the one obtained by using the mBVD model.

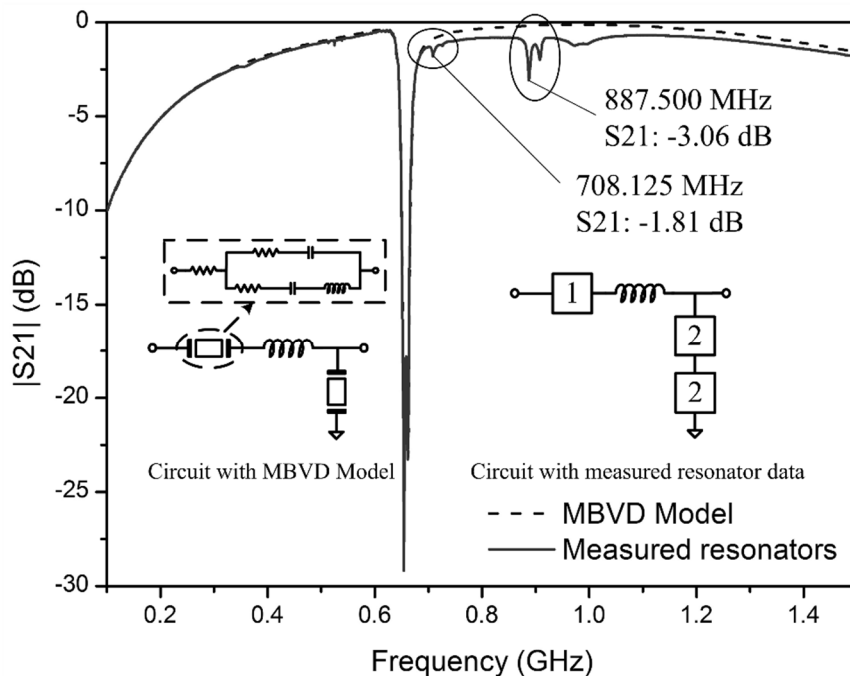


Figure 2.17  $|S_{21}|$  of the basic cell circuit (a) based on the MBVD model vs. the measured resonators

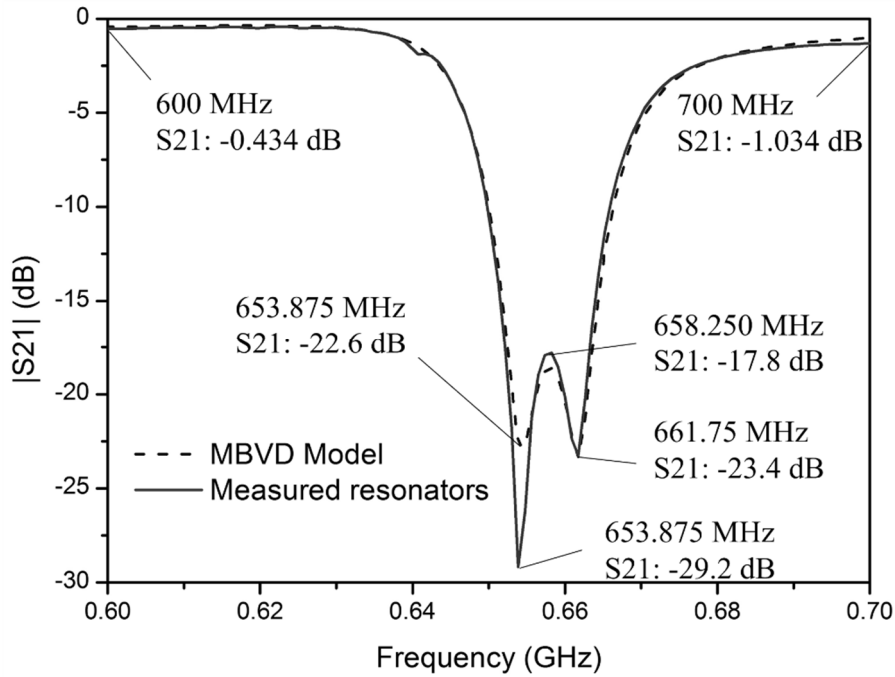


Figure 2.18 Zoom in of Figure 2.17 with a frequency range from 600 MHz to 700 MHz

## 2.5 Design of Multi-stage band reject filters

Since cascade connection of  $N$ -stages generates  $2N$  nulls, their proper allocation enables the rejection band to be wider, deeper, etc. Cascading with mirror inversion makes the input and output impedance identical, and the circuit can be used as an isolated band reject filter. (2-7) and (2-8) indicate that the fractional bandwidth of SAW/BAW resonator is very narrow and is limited by  $\gamma$  or the electromechanical coupling coefficient  $K_e^2$ .

The bandwidth can be increased by cascading multiple stages and setting resonance frequencies appropriately. As an example, here a notch filter for a specification given in Table 2.1 is designed.

Table. 2.1 Design specification of the band reject filter

Freq.	Min	Typ	Max
470...603 MHz	-	-	2 dB
603...653 MHz	-	-	5 dB
703...748 MHz	10 dB	27 dB	-

The structure in Figure 2.5 (b) is selected as the basic cell of the band reject filter.

Use of SAW resonators on 42-LT are assumed and  $\gamma$  is set at 15.

The discussion in Section II indicated larger  $r$  results in better insertion loss. However, if  $r$  is too close to unity, the capacitance given by (2-2) and (2-3) will be extremely large and impractical. As a compromise, here  $r$  is set at 0.69 which corresponds to  $C_{0s} = 8.2$  pF. Location of resonance frequencies are adjusted so that the bump level is -27 dB, while the number of stages are adjusted so that the required rejection bandwidth is obtained.

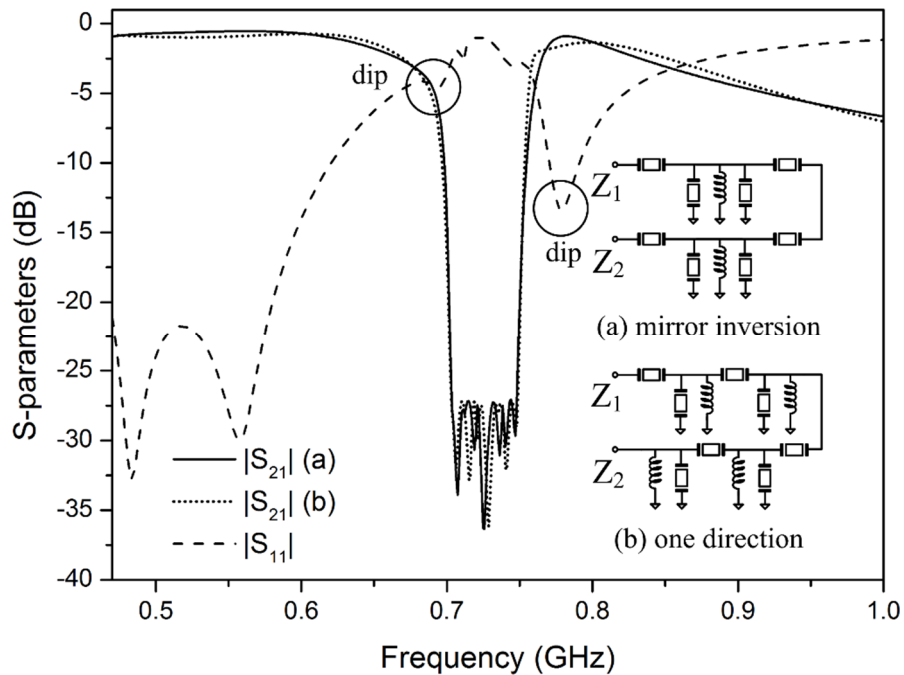


Figure 2.19 Performance of designed band reject filters

The designed result is shown in Figure 2.19. Two cascading methods are designed. For the design (a), the input and output impedance are both  $50 \Omega$ . The mirror inversion is applied, and the adjacent two inductors are combined to one. On the other hand, the input impedance is  $50 \Omega$  and the output impedance is  $72.4 \Omega$  for the design (b). For both cases, all the requirements given in Table are satisfied. The maximum insertion losses in 470-603 MHz and 603-653 MHz are 0.93 dB and 1.90 dB, respectively for the case (a), and are 0.82 dB and 1.54 dB, respectively for the case (b). Note that required  $Q$  factor of the resonators is 250 for this specification. The value is quite easy to realize.

As indicated in Figure 2.12, there are two dips in  $|S_{11}|$  at frequencies close to the rejection band edges. They are the extra matching points mentioned in the last section. These points enhance the steepness of the transition band.

## 2.6 Conclusion

This chapter discussed design of a band reject filter composed of the impedance converters.

First, basic properties of the unit cell are studied. It was shown how the pass band insertion loss, rejection bandwidth and its attenuation level change with the design for a unit cell. It was found that when two notches are placed in proximity, two synergy effects occur: (i) an extra matching point appears on one side of the transition band. This make the insertion loss at the point smaller and the transition band steeper, and (ii) the dip level becomes deeper, and the total rejection level becomes better.

Then two SAW resonators were fabricated on 42-LT, and the filter operation was examined on the circuit simulator in combination with built-in inductors. The simulated result agrees well with the one based on mBVD model, and functionality of the basic cell design was demonstrated.

Finally, the wide rejection band filter was designed for the given specification. The rejection bandwidth was expanded by cascading multiple unit cells with different design. The designed performance revealed effectiveness of the design.

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## **3 Multimode filters using one-port SAW/BAW resonators**

### **3.1 Introduction**

This chapter discusses the possibility of realizing multimode filters composed of multiple single-mode resonators.

After a brief introduction of DMS filter design, the multimode filter operation and design principle are given. It is shown that excellent filter characteristics are achievable by combining multiple single-mode resonators with identical capacitance ratios provided that their resonance frequencies and clamped capacitances are set properly.

Next, the influence of the balun performance is investigated. It is shown that the total filter performance is significantly degraded by balun imperfections such as the common-mode rejection. Then, two circuits are proposed to improve the common-mode rejection, and their effectiveness is demonstrated.

### **3.2 Design principle of traditional DMS filters**

Designing of the traditional DMS filter is based on the acoustic coupling between its symmetric and anti-symmetric modes. Figure 3.4 shows the typical structure of a DMS filter, which contains two IDT and two reflectors. In the figure,  $L_I$  and  $L_r$  represent the length of IDT region and reflector region,  $L_T$  and  $L_g$  represent the gap length between two IDT and IDT with reflector, respectively. This structure could excite two modes simultaneously, the symmetric mode is shown in dashed line and the anti-symmetric mode is shown in dot line.

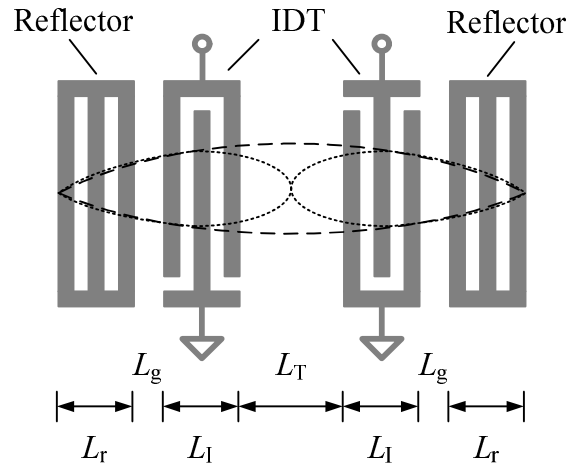


Figure 3.1 Typical DMS filter structure with two possible excited modes

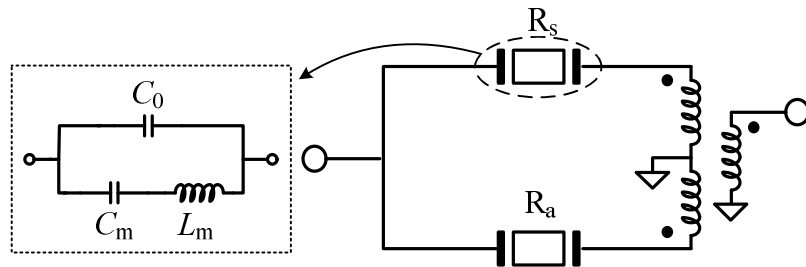


Figure 3.2 DMS filter equivalent circuit

Figure 3.2 shows the equivalent circuit of the DMS filter, where  $R_s$  and  $R_a$  represent the equivalent model of the symmetric and anti-symmetric modes, respectively. Each model could be further expressed by the circuit in the inset, which is similar to a single resonator. The location and separation of the resonance and anti-resonance frequencies of  $R_s$  and  $R_a$  are mainly determined by  $L_l$  and  $L_T$ .

Figure 3.3 shows the DMS filter characteristics varying with the admittance of  $R_s$  and  $R_a$ , where  $f_{sr}$  and  $f_{sa}$  represent the resonance and anti-resonance frequency of  $R_s$ ,  $f_{ar}$  and  $f_{aa}$  represent the ones of  $R_a$ . In the passband,  $R_s$  should work near  $f_{sr}$  to obtain impedance close to zero, which  $R_a$  should work near  $f_{aa}$  for very high impedance. So



that most of the energy flows through  $R_s$ , and low loss transmission is achieved. Out of passband, the two resonators act as capacitors and are coupled with  $180^\circ$  phase shift in circuit. Since the static capacitance of  $R_s$  and  $R_a$  are designed equal, the signal from two paths are cancelled and the filter output will be very small.

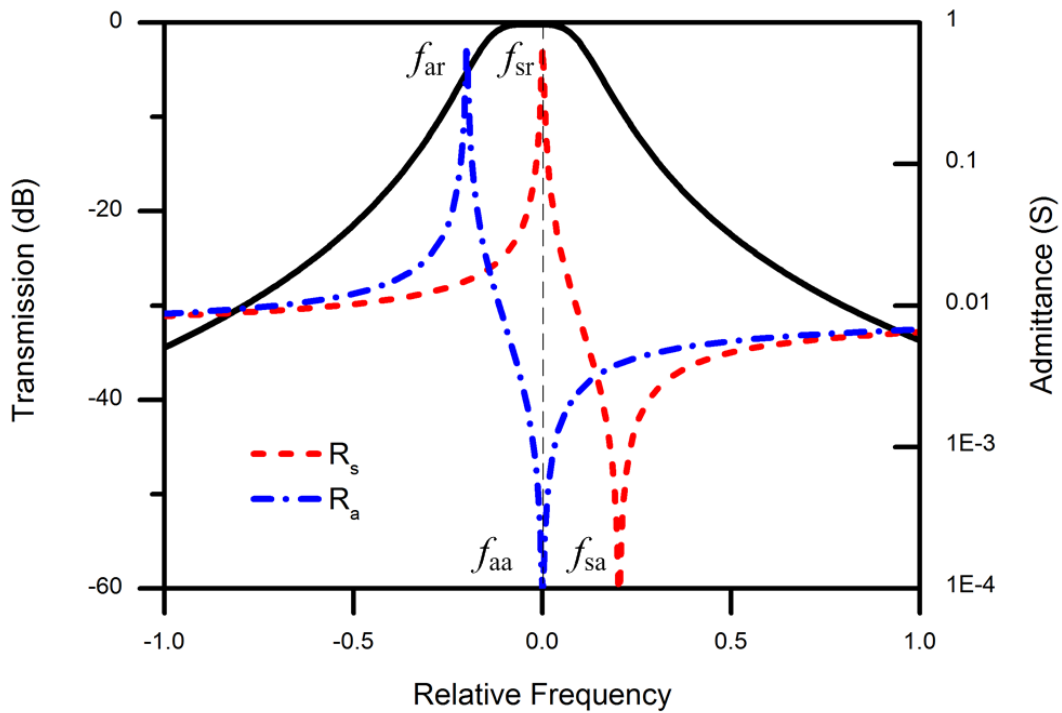


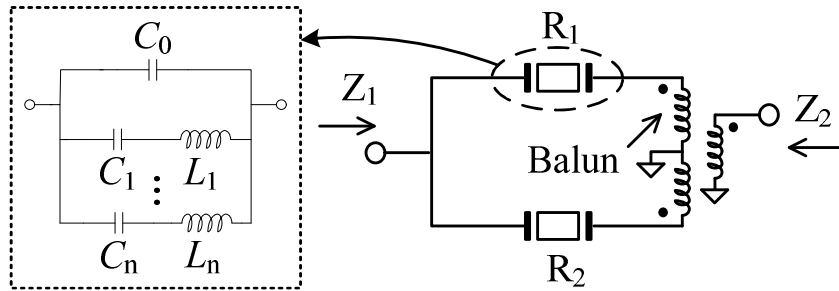
Figure 3.3 DMS filter characteristics varying with the symmetric and anti-symmetric resonator admittance

### 3.3 Electrically coupled multimode filter

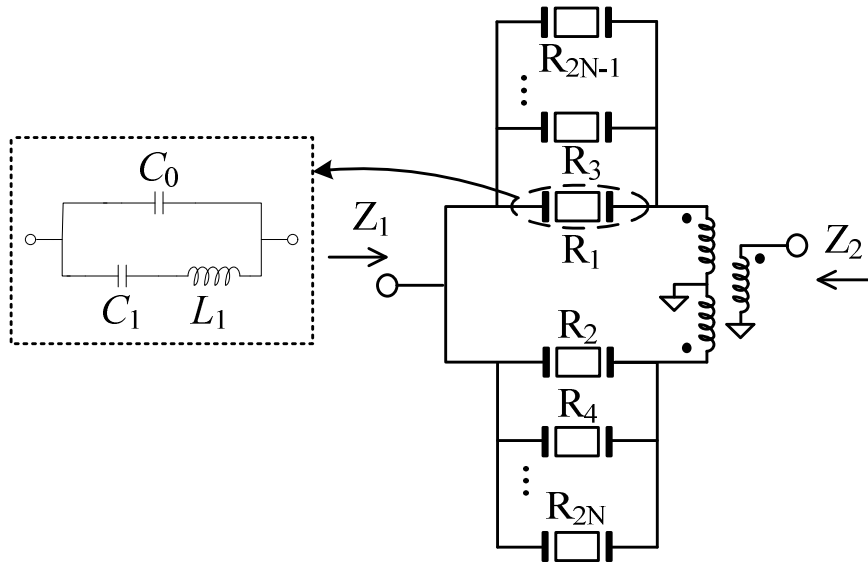
Different from the DMS filter, this multimode filter applies electrical coupling.

Figure 3.4 (a) shows the equivalent circuit of a multimode filter, where  $R_1$  and  $R_2$

represent the resonators supporting multiple resonances. Attempt has been made to compose this circuit using multiple single-mode resonators, which are realizable using RF SAW/BAW technologies in Figure 3.4 (b).



(a)



(b)

Figure 3.4 Equivalent circuit of multimode filter: using (a) multimode resonators and (b) multiple single-mode resonators

First, the design of the filter structure shown in Figure 3.4 (a) is discussed. The LCR model shown in the inset is used as a model of multimode resonators<sup>[3.1]</sup>. In the

following numerical calculations, the quality factor  $Q$  and the ratio of capacitance  $\gamma$  of resonator elements are set at 2,000 and 15, respectively.

The basic design rule of this filter is similar to that of the lattice filter<sup>[3.2]</sup>: (i) the clamped capacitance  $C_0$  of these resonators is  $1/4\pi f_c R_0$ , where  $R_0$  is the peripheral circuit impedance and (ii) the resonance frequency of resonator 1 ( $R_1$ ) coincides with the anti-resonance frequency of resonator 2 ( $R_2$ ) and/or vice versa.

Figure 3.5 shows a design example with two single-mode resonators. In the figure, the admittances of  $R_1$  and  $R_2$ , which are  $Y_1$  and  $Y_2$ , are also shown. Lossless transmission is possible at the frequency where condition (ii) is fulfilled. The passband width is given by the loaded  $Q$  of the circuit, which is basically determined by the  $\gamma$  of resonators. It is known that the passband width can be increased slightly by making these resonance frequencies slightly different<sup>[3.2]</sup>.

The steepness of the filter cutoff is inherently limited by the number of frequencies satisfying condition (ii). There are three techniques to improve the steepness. The first is increasing the  $\gamma$  of the resonators, which will decrease the pass bandwidth at the same time. The second is cascading multiple filter sections. This is simple but requires multiple baluns. The third is using resonators that support multiple resonances to satisfy condition (ii) at multiple frequencies.

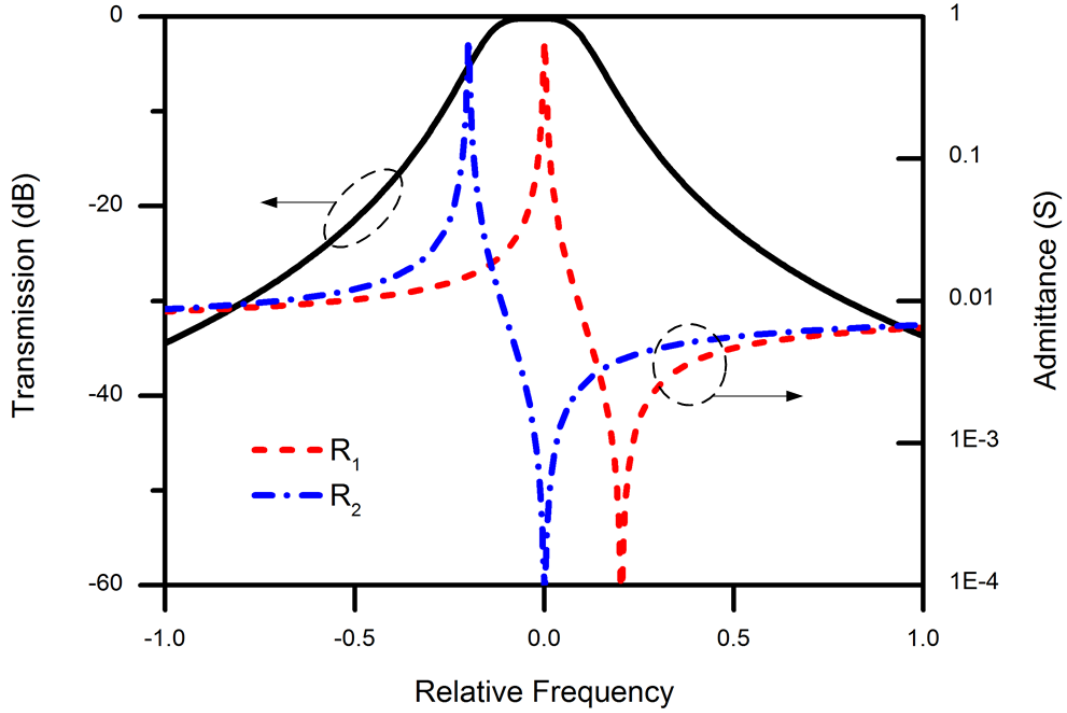


Figure 3.5 Performance of designed multimode resonators composed of two single-mode resonators

Next, the case is discussed where  $R_1$  and  $R_2$  support two resonances each. The resonance frequencies of resonator 1 are designated as  $f_1$  and  $f_3$  and those of resonator 2 as  $f_2$  and  $f_4$ . Then, the design rules require that resonator 1 causes anti-resonances at  $f_2$  and  $f_4$ , and resonator 2 causes anti-resonances at  $f_3$  and  $f_5$ . Thus, under the design rules,  $Y_1$  and  $Y_2$  can be expressed as

$$Y_1 = j\omega C_0(1 + \gamma^{-1}) \frac{\left[ \frac{1 - (f/f_2)^2}{1 - (f/f_1)^2} \right] \left[ \frac{1 - (f/f_4)^2}{1 - (f/f_3)^2} \right]}{\left[ \frac{1 - (f/f_2)^2}{1 - (f/f_1)^2} \right] \left[ \frac{1 - (f/f_4)^2}{1 - (f/f_3)^2} \right]}, \quad (3-1)$$

$$Y_2 = j\omega C_0(1 + \gamma^{-1}) \frac{\left[ \frac{1 - (f/f_3)^2}{1 - (f/f_2)^2} \right] \left[ \frac{1 - (f/f_5)^2}{1 - (f/f_4)^2} \right]}{\left[ \frac{1 - (f/f_3)^2}{1 - (f/f_2)^2} \right] \left[ \frac{1 - (f/f_5)^2}{1 - (f/f_4)^2} \right]}, \quad (3-2)$$

where  $\omega = 2\pi f$ . The following condition is introduced so that  $Y_1$  and  $Y_2$  are almost equal at frequencies much higher than the passband:

$$\frac{f_1^2 f_3^2}{f_2^2 f_4^2} = \frac{f_2^2 f_4^2}{f_3^2 f_5^2}. \quad (3-3)$$

When this condition is not applied, two zeros appear in the transmission response at frequencies satisfying  $Y_1=Y_2$ . They can be used to enhance the sharpness of the passband edges as a tradeoff of the deteriorated out-of-band rejection far from the passband<sup>[3,3]</sup>.

Here,  $f_i$  are set as  $f_n = \sqrt{c} f_{n-1}$  to satisfy (3-3). Then, (3-1) and (3-2) can be respectively rewritten as

$$Y_1 = j\omega C_1 \left[ 1 + \frac{\gamma^{-1}}{1 - (f/f_1)^2} \right] + j\omega C_3 \left[ 1 + \frac{\gamma^{-1}}{1 - (f/f_3)^2} \right], \quad (3-4)$$

$$Y_2 = j\omega C_2 \left[ 1 + \frac{\gamma^{-1}}{1 - (f/f_2)^2} \right] + j\omega C_4 \left[ 1 + \frac{\gamma^{-1}}{1 - (f/f_4)^2} \right], \quad (3-5)$$

when

$$f_n = (\gamma^{-1} + 1)^{(n-1)/4} f_1 \quad \left[ c = (\gamma^{-1} + 1)^{1/2} \right], \quad (3-6)$$

$$C_1 = C_2 = C_0 (1 + \gamma^{-1}) \frac{c^2 + c + 1}{(c + 1)^2}, \quad (3-7)$$

$$C_3 = C_4 = C_0 (1 + \gamma^{-1}) \frac{c}{(c + 1)^2}. \quad (3-8)$$

Namely,  $Y_1$  and  $Y_2$  can be realized by using the configuration shown in Figure 3.4 (b) which contains four single-mode resonators with identical  $\gamma$  values. The resonance frequency and clamped capacitance of the  $n$ -th resonator should be set as  $f_n$  and  $C_n$ , respectively, given by (3-6)~(3-8).

Figure 3.6 shows the transmission response of the filter composed of four single-mode resonators along with the synthesized  $Y_1$  and  $Y_2$ . Comparison of this figure with Figure 3.5 indicates that the passband is flatter and wider and the cutoff is steeper owing to the triple-mode operation.

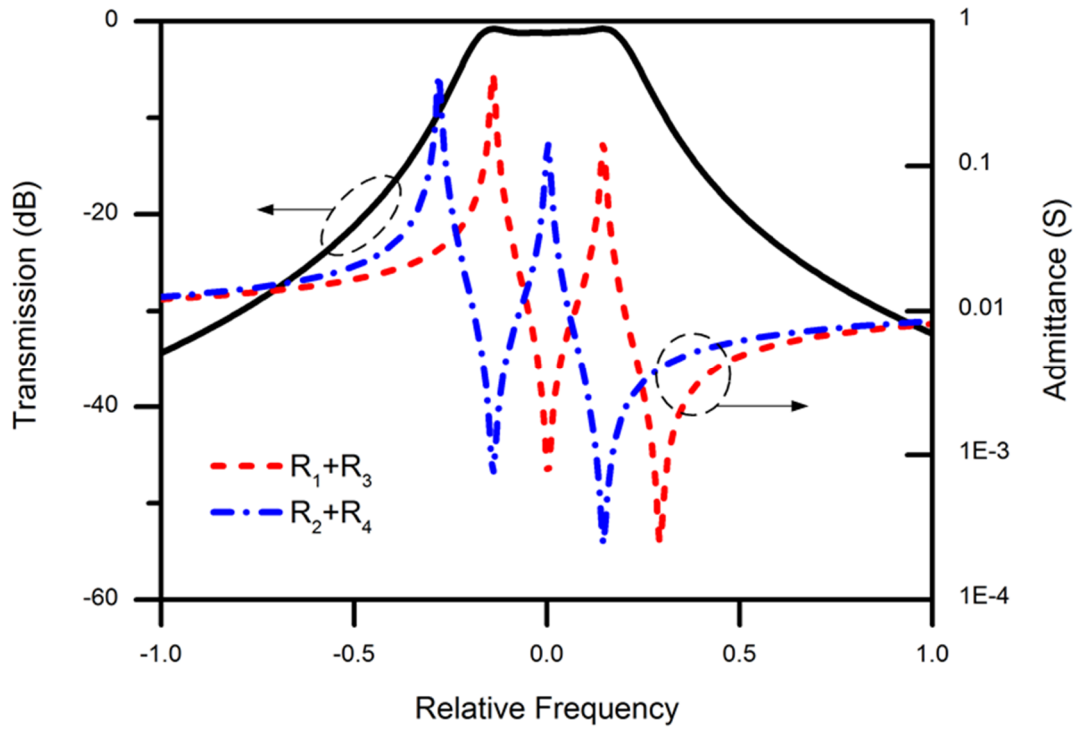


Figure 3.6 Performance of designed multimode resonators composed of four single-mode resonators

Note that the setting of  $f_n = \sqrt{c} f_{n-1}$  is not mandatory. Even when  $f_n$  ( $n=1\sim 5$ ) are set differently,  $Y_1$  and  $Y_2$  can be realized by combining four single-mode resonators, although the  $\gamma$  values of the resonators will not be identical. The same design protocol can be applied to cases where  $R_1$  and  $R_2$  each support  $N$  resonances. Ideally, the filter response improves with increasing  $N$ . However, it also results in the increased insertion loss and dully passband edges owing to the finite resonator  $Q$ .

### 3.4 Impact of balun performance

Next, it is examined how balun performance influences filter performance. The commercial balun LDM0Q2G5010BE005 from MURATA was chosen for the analysis [3.4]. Its impedances are 50 and 100  $\Omega$  for the one unbalanced and two balanced ports, respectively. The typical passband and minimum insertion loss are 2500 $\pm$ 200 MHz and 0.57 dB, respectively. Figure 3.7 shows the transmission characteristics, which were given in the touchstone format from MURATA. It is seen that the difference between  $S_{21}$  and  $S_{31}$ , giving the common-mode suppression, increases with the frequency separation from 2,500 MHz. This means that the device exhibits the balun function in a relatively narrow frequency range of approximately 2,500 MHz.

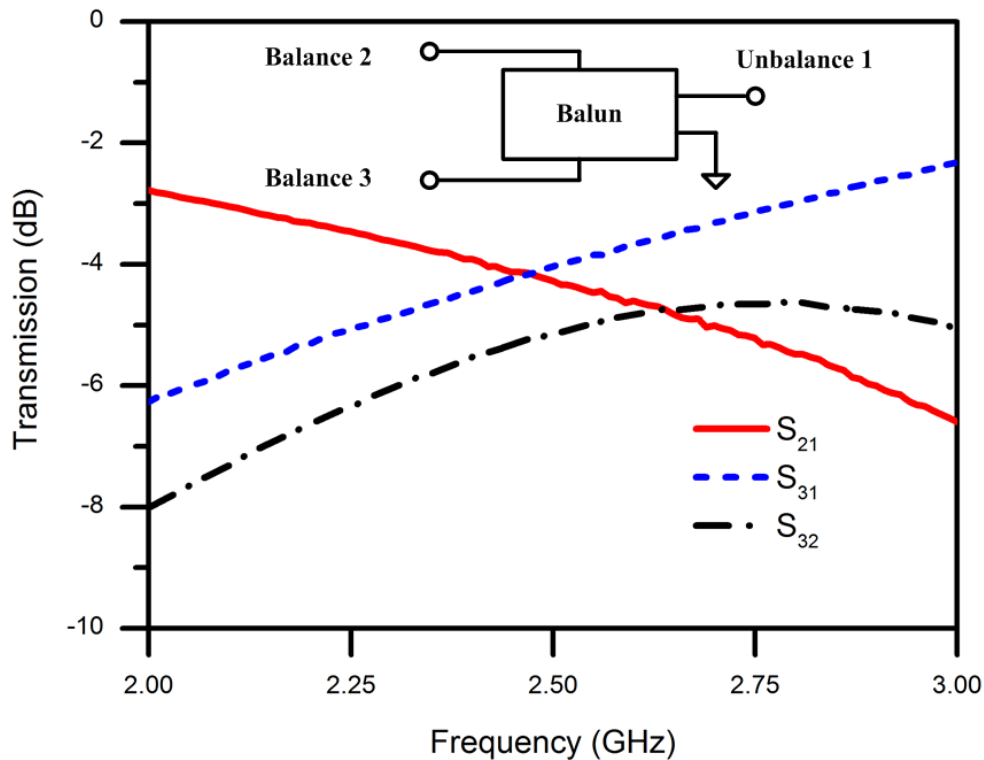


Figure 3.7 Transmission characteristics of the commercial balun from MURATA

Then, a filter with a center frequency of 2,500 MHz was designed following the rules described in Sect. 2, and its ideal balun was replaced with the touchstone format data of the balun on a free circuit simulator Qucs (Quite Universal Circuit Simulator) [3.5].

Figure 3.8 shows the filter characteristics. In the figure, the simulated result for the ideal balun is also shown. It is seen that the balun imperfection causes significant deterioration of the filter characteristic.

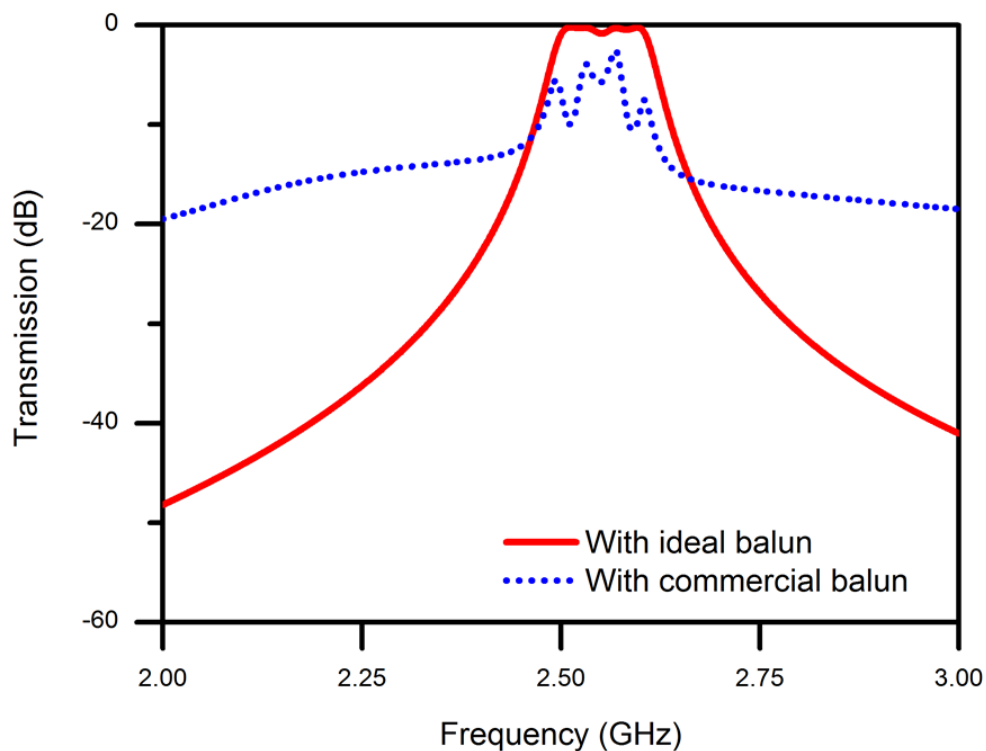


Figure 3.8 Performance of the designed multimode filter with the commercial balun

Here, the circuit (balance enhancer) shown in Figure 3.9 is introduced to improve the common-mode rejection. For the differential mode, the circuit corresponds to the  $\pi$ -type equivalent circuit of transmission lines, since no voltage drop occurs in  $L_p$ . Thus, 100% power transfer is possible between the input and output ports at a frequency under



the proper settings of  $L_s$  and  $C_p$ . On the other hand, for the common mode,  $L_p$  causes a series resonance with  $C_p$ . This forms a notch at this resonance frequency only for the common-mode response. Different values can be set for the left  $L_p$  and right  $L_p$  to form two notches at different frequencies.

Figure 3.10 shows transmission characteristics of this circuit with a center frequency of 2.5 GHz in the differential and common modes. Here, the left  $L_p$  and right  $L_p$  are set to be equal, and  $L_p$ ,  $C_p$ , and  $L_s$  were chosen to be 4.77 nH, 8.49 pF, 4.77 nH, respectively, and the  $Q$  factor of the inductors was set at 50 at 2.5 GHz.

It is seen that good common mode rejection is achievable while the differential mode is not influenced too much with small losses. Owing to the intrinsic low-pass nature of this circuit, the common-mode rejection becomes worse at low frequencies.

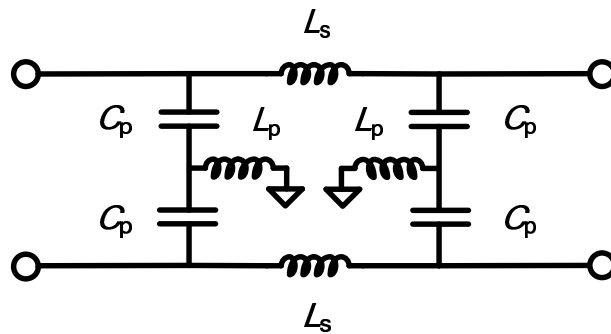


Figure 3.9 Low-pass-type balance enhancer

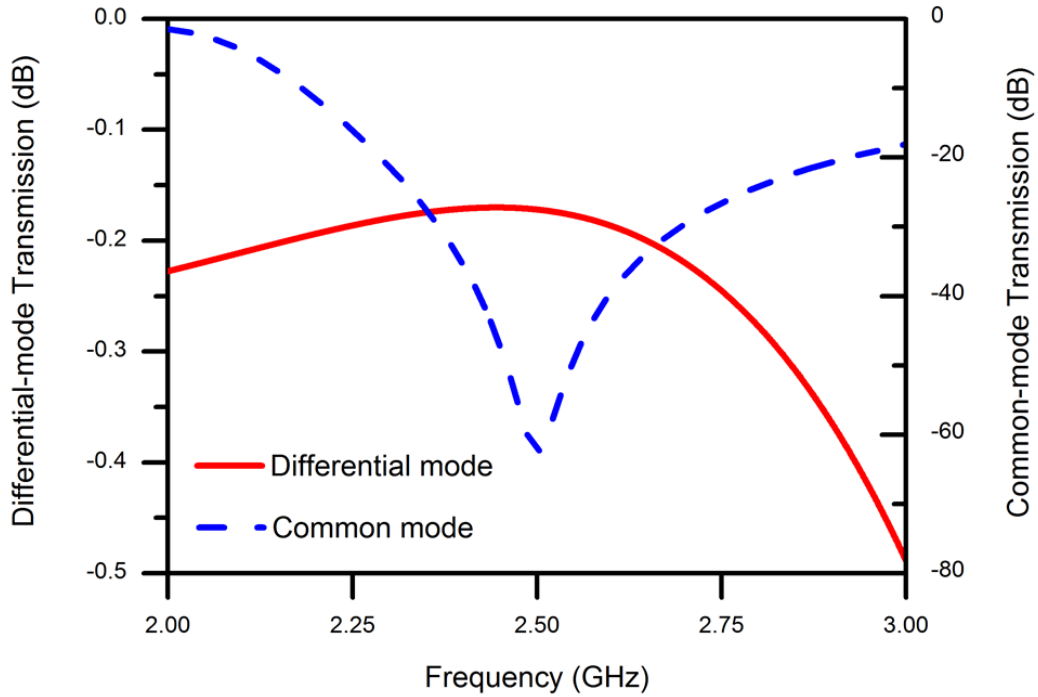


Figure 3.10 Transmission characteristics of low-pass balance enhancer in differential mode and common mode

Figure 3.11 shows the transmission characteristics when the circuit is inserted in the filter topology as shown in the inset. Owing to the improved common-mode rejection, the filter response close to the original design can be achieved. It is interesting to note that the intrinsic low-pass characteristic of the enhancer does not significantly affect the total performance, and good out-of-band rejection is achieved at frequencies lower than the passband. Two notches appear on the blue curve at 2.34 and 2.69 GHz. These notches enhance the sharpness of the transition bands but deteriorate the out-of-band rejection far from the passband. They are related to the imperfection of the balun used, which may be difficult to control.

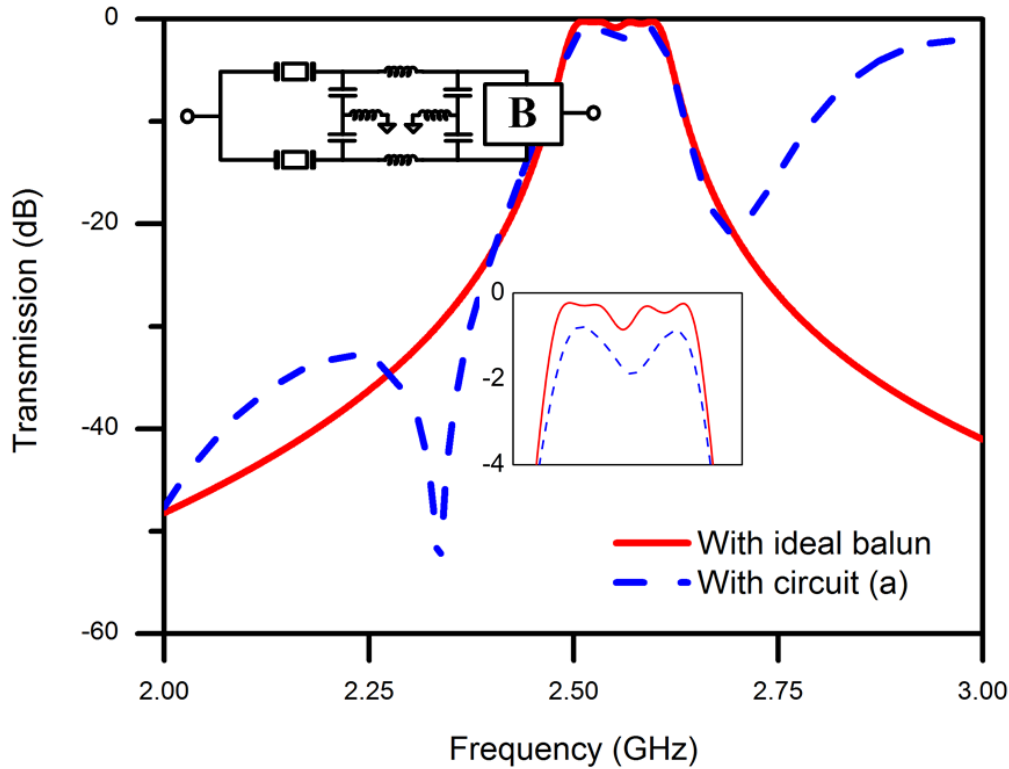


Figure 3.11 Performance of filter with low-pass balance enhancer and commercial balun from MURATA

On the other hand, the out-of-band rejection is not good at frequencies higher than the passband. Further investigation indicated that this degradation is due to that of the common-mode rejection caused by the interaction between the enhancer and the balun.

Figure 3.12 shows an alternative balance enhancer. Its operation is similar to that of the circuit shown in Figure 3.9. The circuit exhibits high-pass characteristics globally, and a notch is formed by the series resonance induced by  $L_p$  and  $C_s$ . Different values can be set for the left  $C_p$  and right  $C_p$  to form two notches of different frequencies.

Figure 3.13 shows the transmission characteristics of the circuit in the differential and common modes. Here, the left  $C_p$  and right  $C_p$  are set to be equal, and  $L_p=4.77$  nH,  $C_p=8.49$  pF, and  $C_s=8.49$  pF. They behave similarly to those shown in Figure 3.10.

However, owing to the intrinsic high-pass nature of this circuit, the common-mode rejection becomes worse at high frequencies.

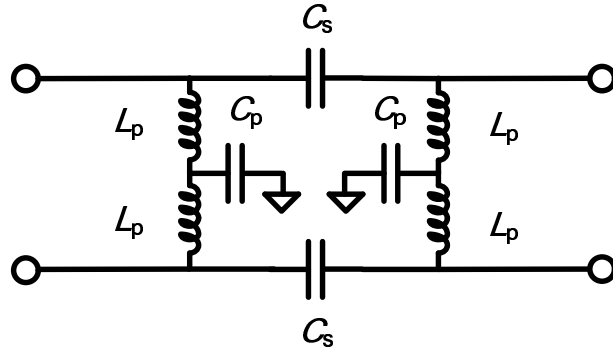


Figure 3.12 High-pass-type balance enhancer

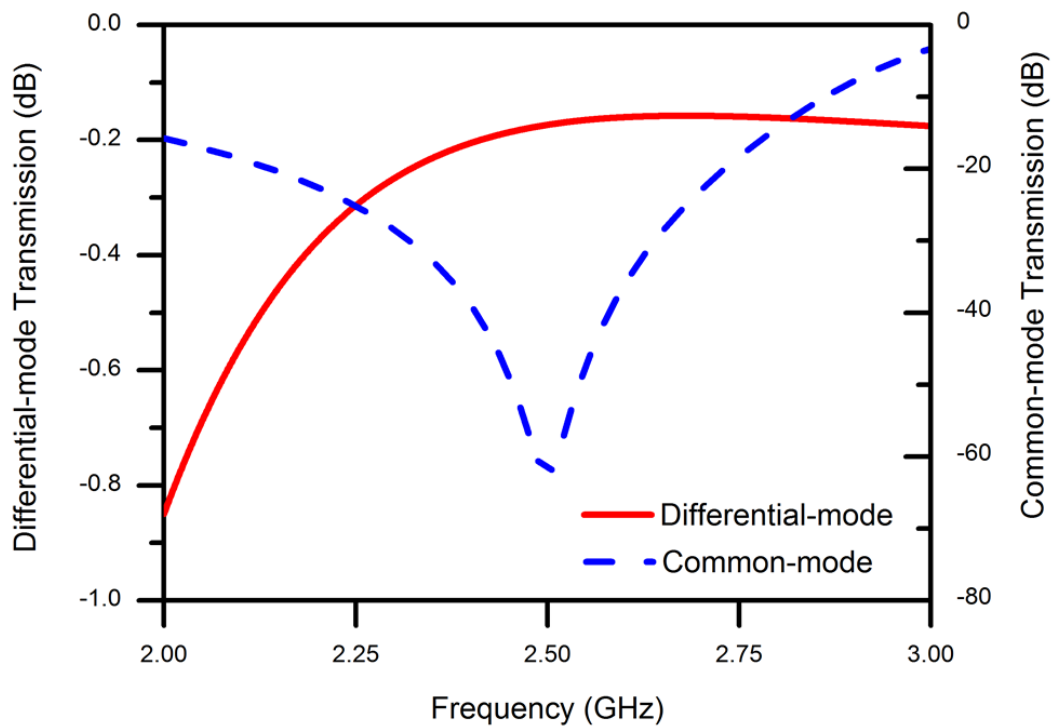


Figure 3.13 Transmission characteristics of high-pass balance enhancer in differential mode and common mode

Figure 3.14 shows the transmission characteristics when the circuit is inserted in the filter topology as shown in the inset. Again, the filter response close to the original

design can be achieved owing to the improved common-mode rejection. The intrinsic high-pass characteristic of the enhancer does not significantly affect the total performance, and moderate out-of-band rejection is achieved.

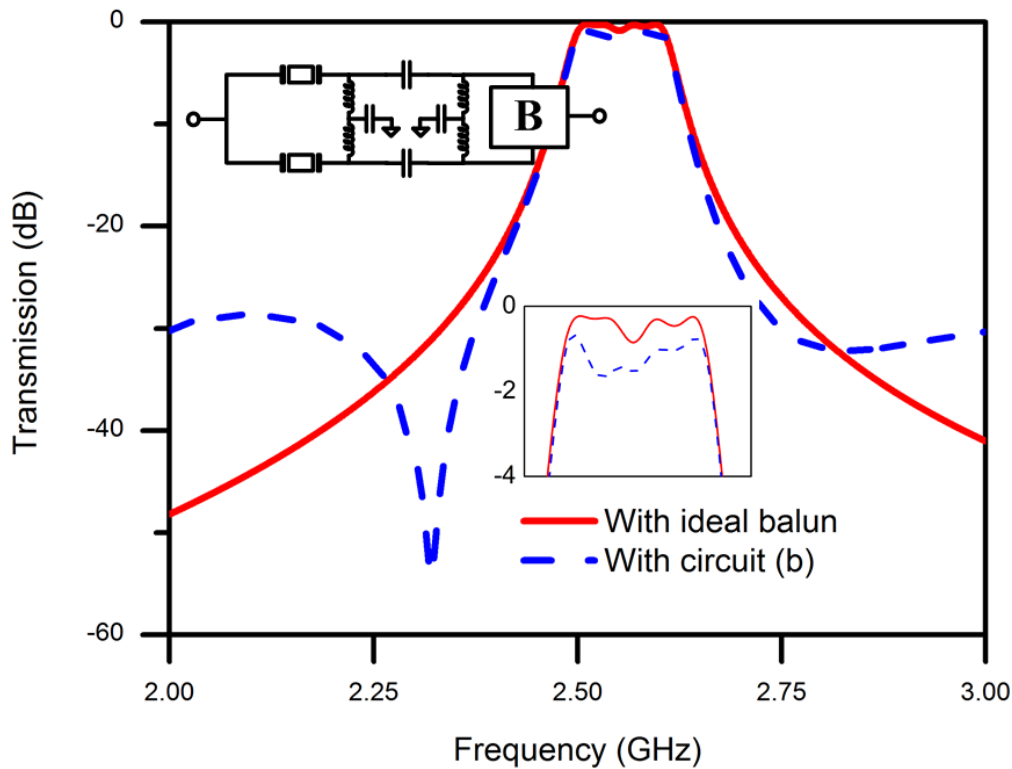


Figure 3.14 Performance of filter with high-pass balance enhancer and commercial balun from MURATA

Note that the out-of-band rejection significantly changes with not only the balun performance but also the setting of the enhancer. For example, the out-of-band rejection above the passband can be improved by reducing the center frequency of the filter and enhancer in the trade off with the rejection level below the passband.

To consider the impact of different balun, use of another commercial balun FI168T155021-T<sup>[3.6]</sup> from Taiyo Yuden CO., LTD is investigated. Its impedance is 50 and 75  $\Omega$  for the unbalanced and two balanced ports, respectively. It has a wide

passband of 900-2200 MHz and its minimum insertion loss is 2.3 dB which is much larger than the MURATA one. Figure 3.15 shows the transmission characteristics, which was supplied in the touchstone format from Taiyo Yuden CO., LTD. Comparing with the MURATA one, its  $S_{21}$  and  $S_{31}$  are much flatter which means it exhibits balun function in much wider range.

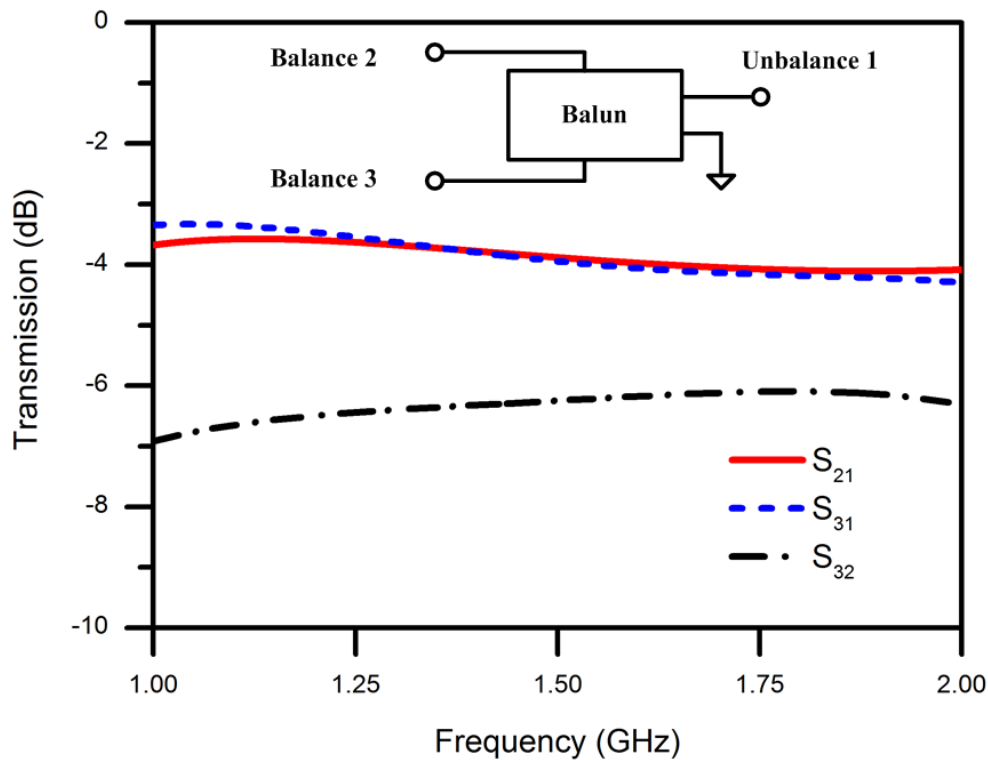


Figure 3.15 Transmission characteristic of the commercial balun from Taiyo Yuden

Figure 3.16 shows the filter characteristic with this balun. In the figure, the simulated result using the ideal balun is also shown. Comparing with the MURATA one, this balun imperfection causes not so serious deterioration in the filter characteristic for its wide passband.

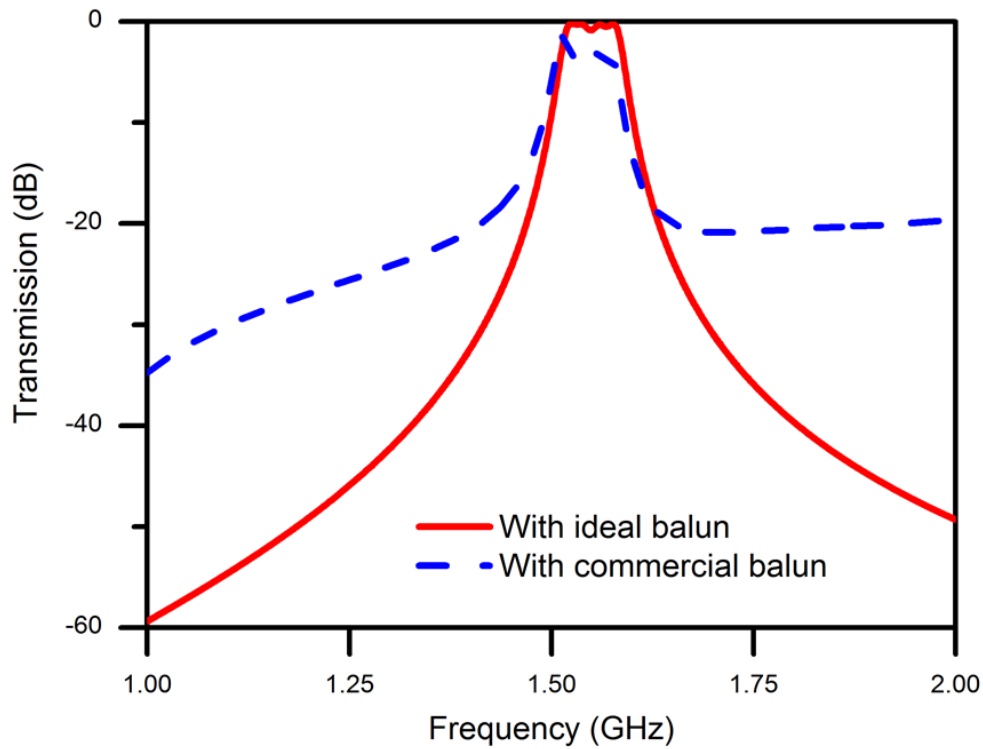


Figure 3.16 Performance of the designed multimode filter with the commercial balun from Taiyo Yuden

Figure 3.17 shows the transmission characteristic when the enhance circuit is inserted in the filter topology as shown in the inset. Comparing with MURATA one, its out-of-band rejection is better especially for the frequencies higher than the passband. It contributes to the flat passband of this balun. The passband is narrower because the center frequency is half of the MURATA one. It is seen that its passband is flat and the average insertion loss is around 1.8 dB. The comparing shows that the filter performance is strongly related to the balun performance.

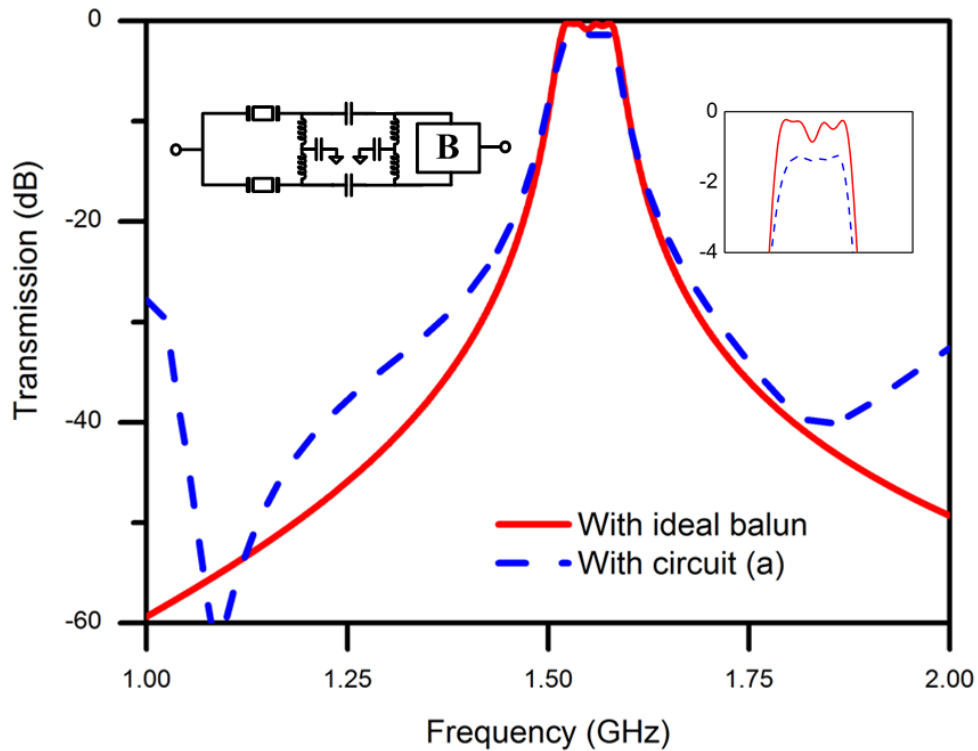


Figure 3.17 Filter performance using low-pass balance enhancer and commercial balun from Taiyo Yuden

### 3.5 Conclusion

This chapter discussed possibility of realizing multimode filters composed of multiple single-mode resonators by using RF SAW/BAW technologies.

First, the filter operation and design principle were given. It was demonstrated that excellent filter characteristics are achievable by combining multiple single-mode resonators with identical  $\gamma$  values provided that their resonance frequencies and clamped capacitances are set properly.



Next, it was shown that balun imperfection significantly deteriorates the total device performance. Then, two circuits were proposed to improve the common-mode rejection, and their effectiveness was demonstrated.

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- [3.2] K. Hashimoto, “5.4.2 Lattice Type Filters”, *Surface Acoustic Wave Devices in Telecommunications* (Springer Verlag, 2000) p. 152
- [3.3] S. Beaudin, S. Damphousse, and T. Cameron, “Shoulder Suppressing Technique for dual mode SAW resonators,” *Ultrasonics Symp.*, (1999) p. 389.
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## **4 Conclusions and outlooks**

### **4.1 Conclusions**

To obtain high performance, small size and low cost SAW/BAW filters, the following two filters, band reject filter embedded in impedance converter and multi-mode filter with electrically coupled one port resonators were investigated. The results can be concluded as the following,

In chapter 2, the design rule of band reject filter was discussed in detail and verified by fabrication and simulation. When two notches caused by the one port resonators were placed in proximity, two synergy effects occurred: (i) an extra matching point appeared on one side of the transition band. It made the insertion loss at the point smaller and the transition band steeper, and (ii) the dip level became deeper, and the total rejection level improved.

In chapter 3, the design rule of multi-mode filter was discussed. Balun was applied to couple multi-mode resonators. The electrical coupling allowed applying both SAW and BAW one port resonators and good out-of-band rejection could be achieved contributing to the differential structure. Then, it was shown that commercial balun had great influence to the filter performance and additional balance enhance circuit was applied. With the balance enhance circuit, filter could response close to the original design.

## 4.2 Outlooks

This thesis aims to research the theoretical characteristics of the band reject filter and multimode filter. For this reason, the band reject filter in chapter 2 is not fabricated in whole device but resonators instead. Then, circuit simulator is applied to evaluate the filter with the measured resonators data. Because the key element is based on measured data from practical device, this strategy is efficient to reduce the fabrication process while keeping enough reliability of simulation result. For the same reason, the multimode filter in chapter 3 applies the commercial balun.

In the future, if necessary, the whole filter device could be fabricated and the influence of connection between each circuit element could be evaluated and the power durability and reliability of the whole device could be measured.

## Lists of publications

### Journals papers

1. **Y. Huang**, J. Bao, G. Tang, Q. Zhang, T. Omori, and K. Hashimoto, “Design Consideration of SAW/BAW Band Reject Filters Embedded in Impedance Converter”, *IEEE Trans. Ultrason., Ferroelect., Freq. Control*, 64, (2017) p. 1368.
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3. **Y. Huang**, J. Bao, X. Li, B. Zhang, G. Tang, T. Omori, and K. Hashimoto, “Influence of Coupling between Rayleigh and SH SAWs on Rotated Y-cut LiNbO<sub>3</sub> to Their Propagations”, *IEEE Trans. Ultrason., Ferroelect., Freq. Control*, (2018), DOI: 10.1109/TUFFC.2018.2832174.
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  8. X. Li, J. Bao, **Y. Huang**, B. Zhang, G. Tang, T. Omori, and K. Hashimoto, "Use of double-raised-border structure for quality factor enhancement of type II piston mode FBAR." *Microsystem Technologies*, 24 (2018) p.2991.

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1. **Y. Huang**, J. Bao, G. Tang, T. Aonuma, Q. Zhang, T. Omori, and K. Hashimoto, “SAW/BAW band reject filters embedded in impedance converter”, *Proc. IEEE Ultrason. Symp.* (2016) DOI: 10.1109/ULTSYM.2016.7728411.
2. **Y. Huang**, J. Bao, G. Tang, Y. Wang, T. Omori, and K. Hashimoto, “Multimode filter composed of single-mode SAW/BAW resonators,” *Proc. 37th Symp. Ultrasonics Electronics*, (2016) 1E4-2.
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4. **Y. Huang**, J. Bao, X. Li, B. Zhang, T. Omori, and K. Hashimoto, “Parameter extraction of COM equations including two SAW coupling for TC-SAW structures,”

- Proc. 38th Symp. Ultrasonics Electronics*, (2017) 1P3-4.
5. **Y. Huang**, J. Bao, G. Tang, T. Aonuma, T. Omori, and K. Hashimoto, “SAW/BAW Band Reject Filters Embedded in Impedance Converter”, 日本學術振興會彈性波素子技術第150委員會第144回研究會, (2016) p. 13
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